#### The Luminosity Function of Galaxies in SDSS Commissioning Data Blanton et al. 2001, AJ, 121, 2358



Chelsea Sharon Ph 689: 9/24/2009 "This quantitative characterization of the local galaxy population provides the basic data that a theory of galaxy formation must account for and an essential baseline for studies of galaxy evolution at higher redshifts."

-This Paper

# Outline

• What is the SDSS (in brief)

Terminology

Nitty-gritty details

Sample Characterization

### The Sloan Digital Sky Survey

Deep, 5-color survey of nearly one quarter of the sky with comprehensive spectroscopic follow-up

<u>This Paper</u> (commissioning)	Goals	<u>Data Release 7</u> (June 2009)
11,275 galaxies	1,000,000 galaxies (100,000 QSO's)	929,550 galaxies (121,363 QSO's)
230 deg <sup>2</sup>	10,313 deg <sup>2</sup> (π steradians)	9,380 deg <sup>2</sup>
r*=17.6	r'=23	r'=22.2

## Terminology

- Filters
  - u\*, g\*, r\*, i\*, and z\*
- On Measuring Magnitudes
  - Surface Brightness, Luminosity, and the Petrosian Magnitude
- Luminosity Function
  - Schechter Function

### Filters



Fig. I: Girardi et al. 2002 Fig. 2: Bartlemann et al. 2002

## Filters



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- Since galaxies are resolved, can measure surface brightness
- Surface brightness,  $\mu$ , is the radiative flux per unit solid angle on an image

Centrally Concentrated Ambiguous edges deVaucouleurs profile:

 $I(R) = I_{\rm e} \exp\left\{-7.67 \left[ \left(\frac{R}{R_{\rm e}}\right)^{1/4} - 1 \right] \right\}$ 



More even brightness Hard edges Exponential profile:

 $I(R) = I_{\rm d} \exp(-R/R_{\rm d})$ 

$$\mathscr{R}_{\rm P}(r) \equiv \frac{\int_{\alpha_{\rm lo}r}^{\alpha_{\rm hi}r} dr' 2\pi r' I(r') / [\pi(\alpha_{\rm hi}^2 - \alpha_{\rm lo}^2)r^2]}{\int_0^r dr' 2\pi r' I(r') / (\pi r^2)}$$

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#### The Luminosity Function

- The distribution of the luminosity of galaxies
- Normally expressed as  $\Phi(L)$
- Has some normalization

The paper uses:  $\hat{\Phi}(M) = 0.4 \ln(10) \bar{n} L \Phi(L)$ 

For field galaxies, this distribution is fit by the Schechter function:

$$\hat{\Phi}(L) = \phi_* \left(\frac{L}{L_*}\right)^{\alpha} \exp(-L/L_*)$$

or

 $\hat{\Phi}(M) = 0.4 \ln(10) \phi_* 10^{-0.4(M-M_*)(\alpha+1)} \exp[-10^{-0.4(M-M_*)}]$ 

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# Results!

#### The Luminosity Function



#### Luminosity & Surface Brightness Correlation



#### Luminosity & Surface Brightness Correlation



# Dependence of Luminosity on Color



#### Dependence of Luminosity on Color



#### Dependence of Luminosity on Morphology





#### Dependence of Luminosity on Morphology



### Conclusions

- The limited sample of early SDSS galaxies are already a useful data set, characterizing galaxy relationships such as:
  - Surface brightness and luminosity correlation
  - Dependence of luminosity on color
  - Dependence of luminosity on morphology
- SDSS has found significantly more luminosity density than prior surveys due to improved measurement techniques