

A Unified, Merger-Driven Model of
the Origin of Starbursts, Quasars,
the Cosmic X-Ray Background,
Supermassive Black Holes, and
Galaxy Spheroids

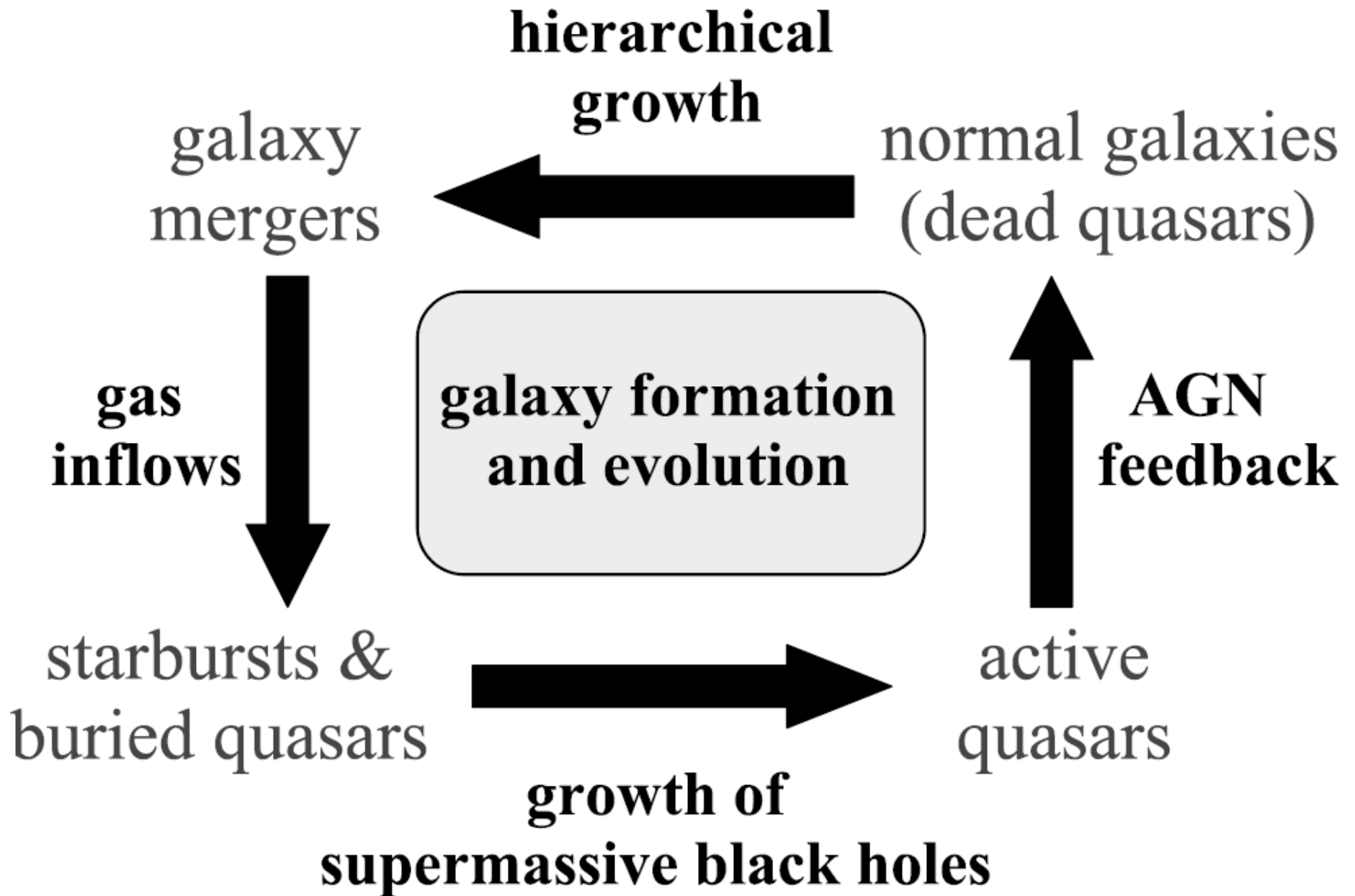
Hopkins, et al 2006

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Motivation

- Standard initial conditions can be used to make highly accurate simulations of Lyman- α forest
 - Existing *ab initio* models from these same conditions have failed to yield a galactic population representative of observations
- Therefore, believe Λ CDM and the initial conditions but not the galactic evolution models
- Need a new a model with the “missing physics”
 - Additional hydrodynamical processes including star formation and feedback from black hole accretion and supernovae



Methodology

- Simulate hundreds of mergers
- Find luminosity for merged galaxies as a function of time
- Bin mergers by L_{peak}
- Quasar luminosity function $\varphi(L)$ is the convolution of quasar lifetime $t_Q(L|L_{\text{peak}})$ with the rate of quasar births $n'(L_{\text{peak}})$
 - Use calculated t_Q and measured φ to find $n'(L_{\text{peak}})$

- And you get $n(L, L_v, M_{BH}, N_H, L_{\text{peak}}, M_{BH}^f | z)$



Simulation

- Smoothed particle hydrodynamics
- Radiative heating and cooling
- Star formation and supernova feedback
 - “subresolution model of a multiphase interstellar medium” (Springel & Hernquist MNRAS 2003)
- Black hole is “sink” particle
 - Accretion determined by Eddington-limited version of Bondi-Hoyle-Lyttleton accretion theory (Bondi 1952)
 - Radiates at $L_{\text{bol}} = \epsilon_r M_{\text{BH}} c^2$
 - $\epsilon_r = 0.1$ (parameter?)
 - Assume ~5% of radiation couples dynamically to surrounding gas

Calculating Quasar Lifetimes

$$t_Q(L | L_{peak}) = t_Q^* \int_L^{L_{peak}} e^{-L/L_Q^*} d \log L$$

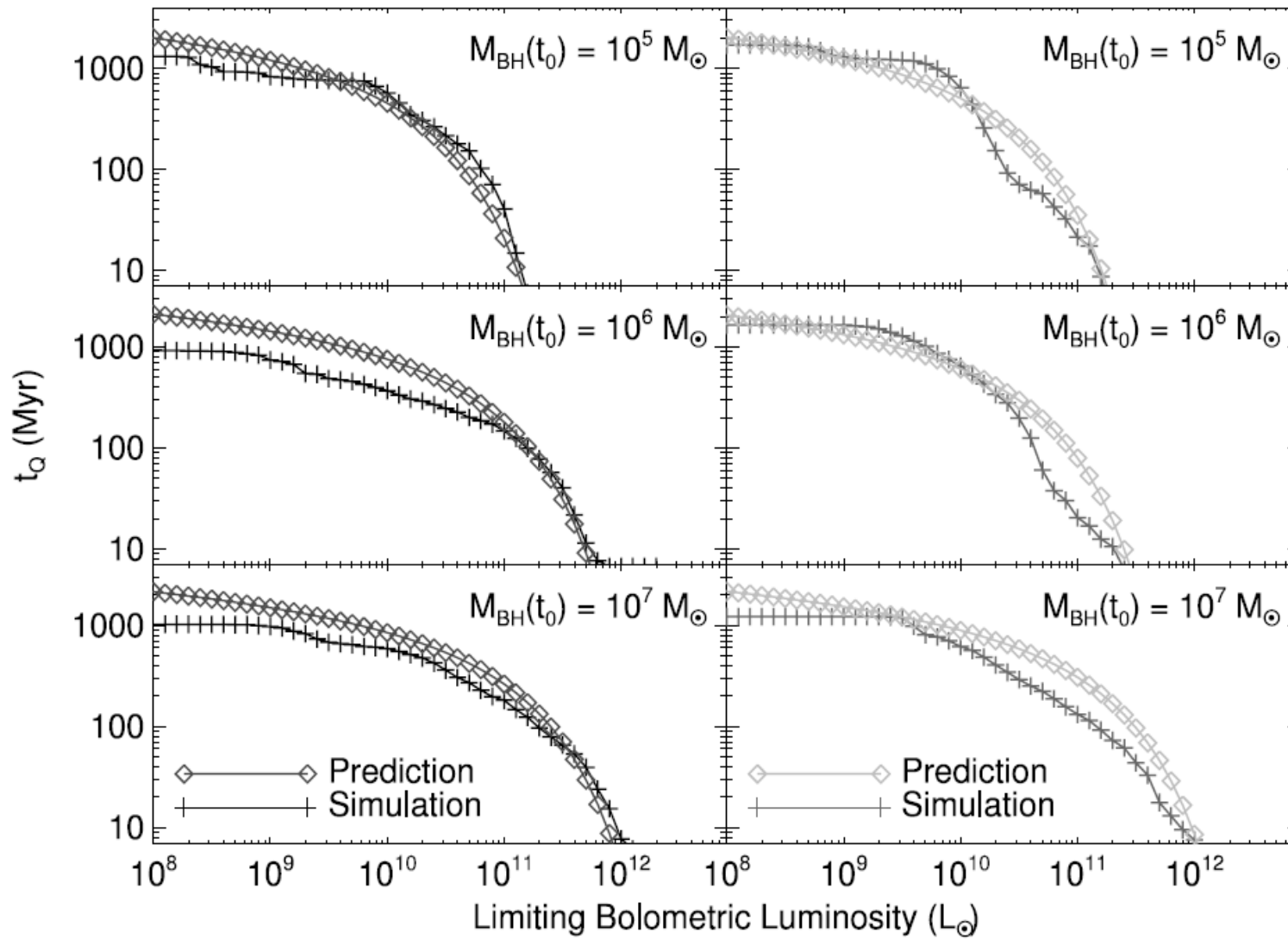
- $t_Q(L | L_{peak})$ = the time a quasar has a luminosity above L

$$\text{with } t_Q^* = t_*^{(10)} \left(\frac{L_{peak}}{10^{10} L_\odot} \right)^{\alpha_T}, \quad L_Q^* = \alpha_L L_{peak}$$

and parameters fitted from model:

$$t_*^{(10)} = 1.37 \times 10^9 \text{ yr}, \alpha_T = -0.11, \alpha_L = 0.20$$

- This formula predicts ~90% of quasar lifetime near $L=0.001 L_{peak}$!



Getting Quasar Creation Rate n'

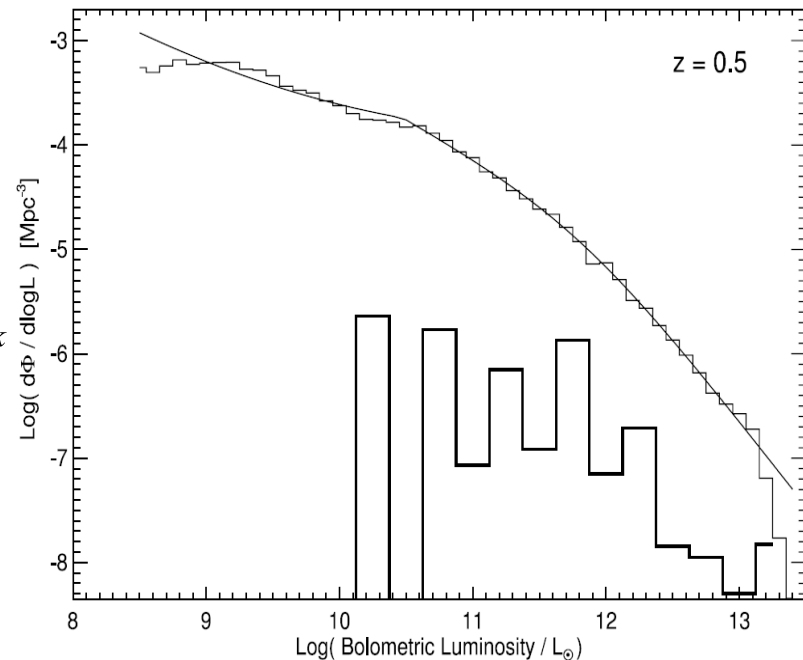
- ϕ = the comoving number density of quasars in $\Delta \log L$

$$\phi(L) \equiv \int \frac{dt_Q(L | L_{peak})}{d \log L} \dot{n}(L_{peak}) d \log L_{peak}$$

- Approximate the above with a sum and fit:

$$\phi(L) \approx \sum_i \dot{n}(L_{peak,i}) \left\langle \frac{\Delta t_Q(L | L_{peak,i})}{\Delta \log L} \right\rangle$$

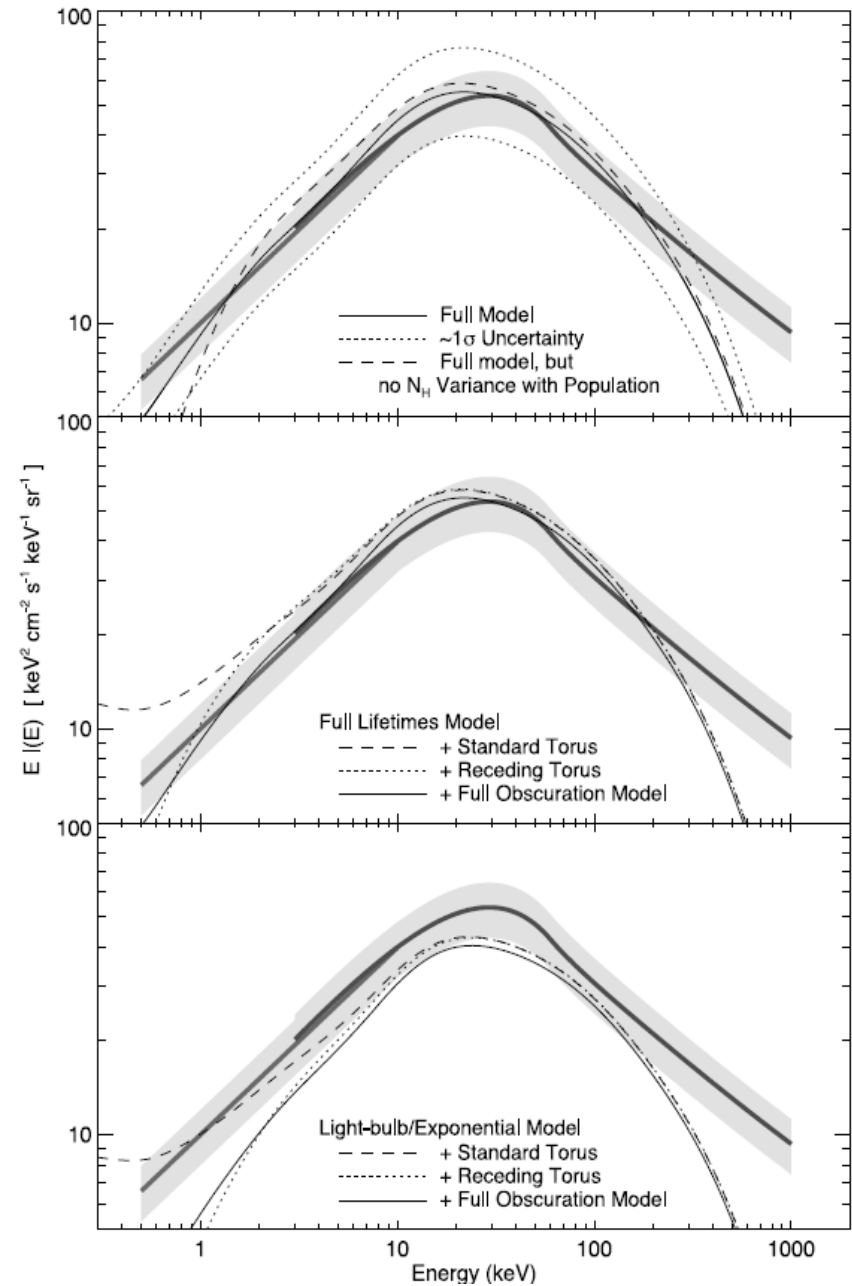
- n' can be extrapolated to arbitrary z



Curve shows hard x-ray quasar luminosity function from Ueda et al (ApJ 2003), “purely observation based”
(Vertical axis is just $\log(\phi)/\text{Mpc}^3$)

Model vs X-rays

- AGNs are likely sources of x-ray background
 - Existing models inadequate for high z and require ad hoc assumptions
- Thick lines are observations
 - Barcons et al 2000 and Gruber et al 1999
- Thin lines are predictions
 - Top and middle panel show model with different obscuration predictions
 - Bottom panel shows simpler models





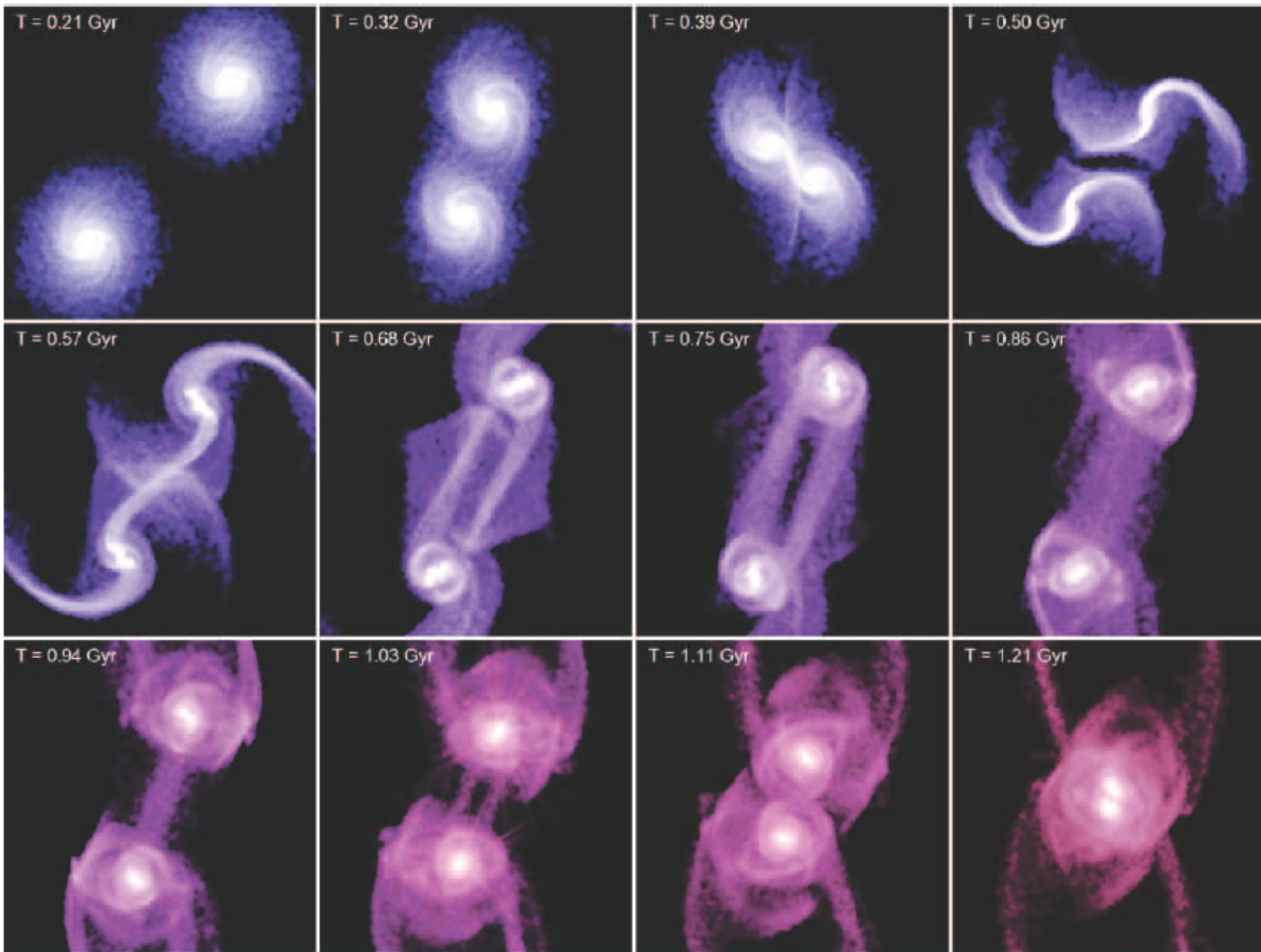
Additional Predictions & Tests

- Can use the model to predict
 - Column density distributions
 - Broad-line luminosity function and fraction
 - Active black hole mass function
 - Eddington ratios
 - Relic black hole mass function
 - Host galaxy properties
 - Gravitational wave signal from black hole mergers



Conclusions

- Supermassive black holes regulate galaxy formation and evolution via radiation
 - Mergers pull gas to center only to be expelled by quasars
 - Quasar lifetime well described as a function of L_{peak} and L
 - Previous models fail to successfully characterize the long low L tails of this lifetime
- n^* is poorly understood
 - Observations of black hole mass distribution probe faint end of $n^*(L_{\text{peak}})$
 - Larger scale models should illuminate merger rates



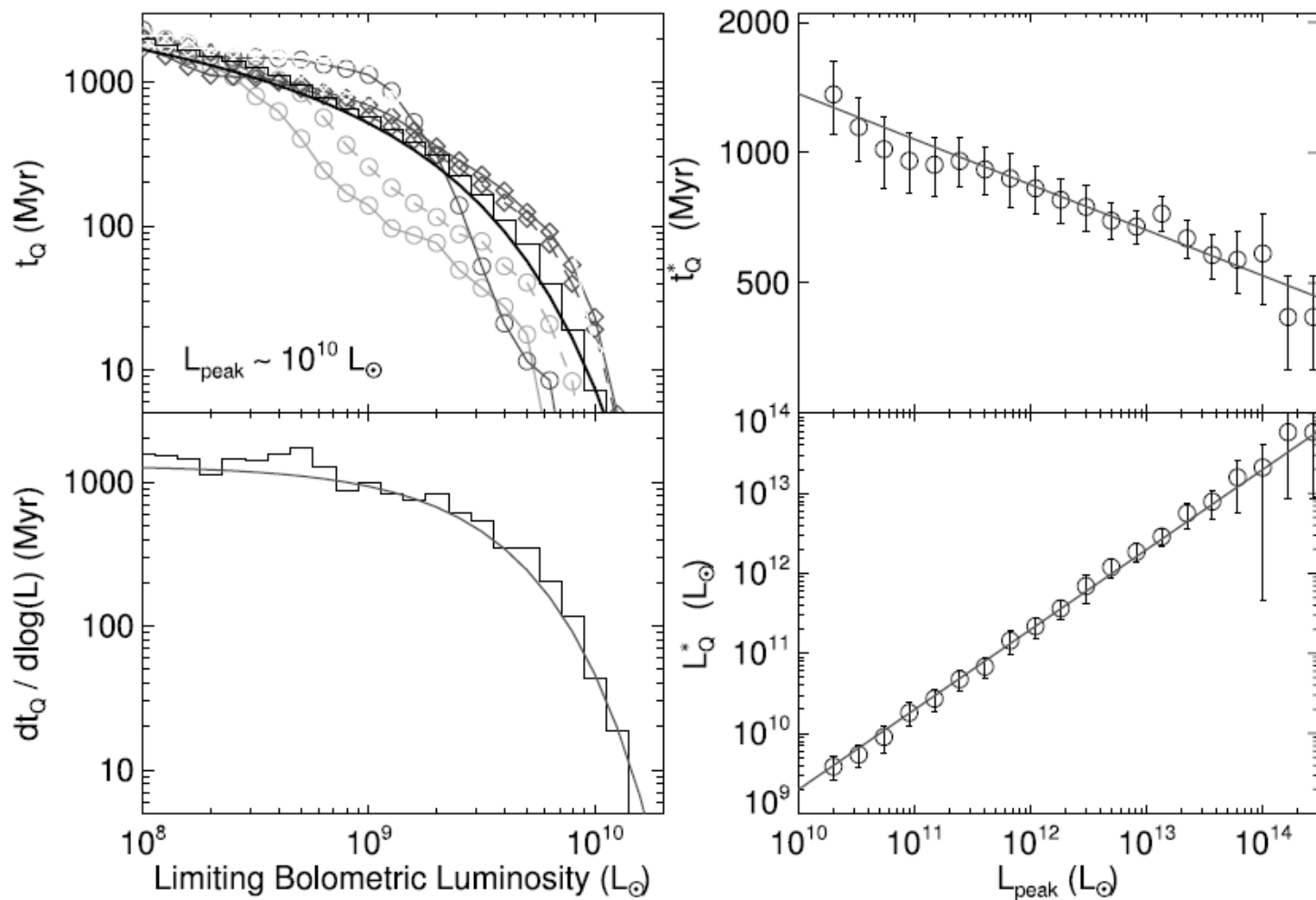


FIG. 5.—Fits to the quasar lifetime as a function of luminosity from our simulations. The top left panel shows the intrinsic, bolometric quasar lifetime t_Q of a set of simulations with L_{peak} within a factor of 2 of $10^{10} L_{\odot}$, in the manner of Fig. 4. The histogram shows the geometric mean of these lifetimes, and the histogram in the bottom left panel shows the differential lifetime $dt/d \log L$ from this geometric mean. The thick solid line in the top left panel and solid line in the bottom left panel show the best-fit to our analytical form, $dt/d \log L = t_Q^* \exp(-L/L_Q^*)$. The top right panel shows the fitted t_Q^* and resulting errors in each peak luminosity (final black hole mass) interval, and the best-fit power law to $t_Q^*(L_{\text{peak}})$ (solid line). The bottom right panel shows the fitted L_Q^* and resulting errors in each peak luminosity (final black hole mass) interval, and the best-fit proportionality $L_Q^* \propto L_{\text{peak}}$ (solid line). [See the electronic edition of the Supplement for a color version of this figure.]

Typical Merger

