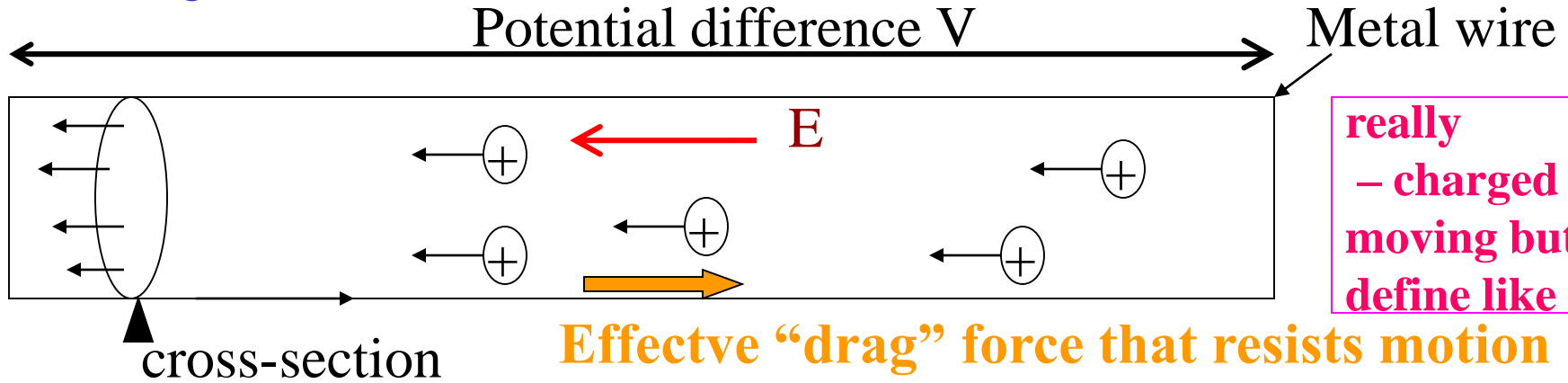


Charges in motion



really
- charged e^-
moving but
define like +

charge Δq flows through in Δt

$$I = \frac{\Delta q}{\Delta t}$$

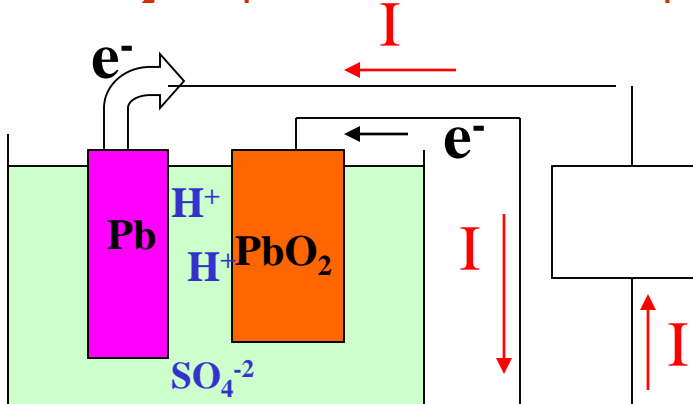
current = $\frac{\text{coulombs}}{\text{sec}}$ = ampere

Electric Potential Source

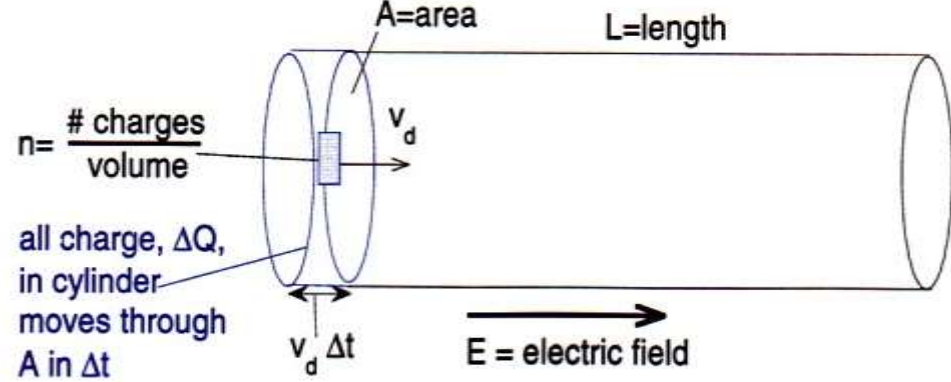
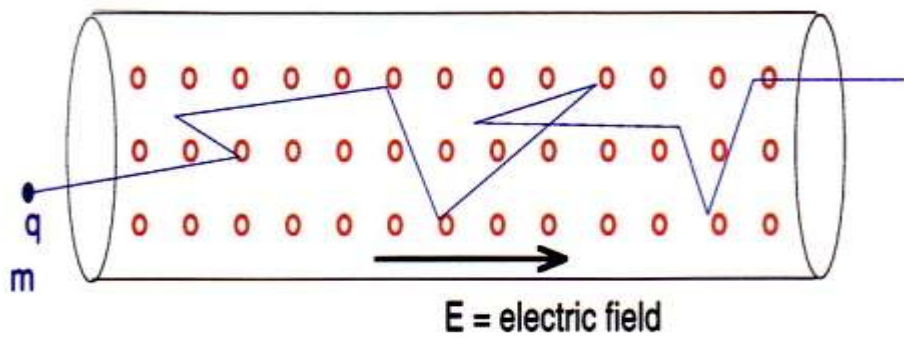


Battery – dry cell 1.5V

Hg cell 1.35V



Chemical energy \longrightarrow electrical energy



in straight paths between collisions

$$F = ma \rightarrow qE = ma \rightarrow \boxed{E = \frac{m}{q} a}$$

E & a constant
(along E direction)

collision time approximation

on average after time (2τ) collision brings charge q to a dead stop $[v=0]$

$$v_{\text{drift}} = v_d \rightarrow v_d = \bar{v} = \frac{0 + 2a\tau}{2} = a\tau \rightarrow \boxed{a = \frac{v_d}{\tau}}$$

$$v_i = 0 \quad v_f = 2a\tau$$

$$\bar{v} = \frac{v_i + v_f}{2}$$

$$\boxed{v = v_i + at}$$

$$\therefore \boxed{E = \frac{m}{q\tau} v_d}$$

3-2-OLO

$$\Delta Q = n (v_d \Delta t) A$$

$$I = \frac{\Delta Q}{\Delta t} = \text{electric current (charge flowing through wire /time)}$$

$$\therefore I = n A v_d$$

$$\boxed{v_d = \frac{I}{n A}}$$

but recall

$$\boxed{E = \frac{m}{q\tau} v_d} \rightarrow \boxed{E = \frac{m}{q\tau} \frac{I}{n A}}$$

multiplying both sides by the length of the wire L

$$E = \left[\frac{m}{n q \tau} \right] \left[\frac{1}{A} \right] I$$

$$EL = \left[\frac{m}{n q \tau} \right] \left[\frac{L}{A} \right] I$$

$$EL = \left[\frac{m}{n q \tau} \right] \left[\frac{L}{A} \right] I$$

$$V = \rho \left[\frac{L}{A} \right] I$$

electrical resistivity

$$\rho = \left[\frac{m}{n q \tau} \right]$$

material's reluctance
to carry current

Ohm's
Law

$$V = R I$$

applied
voltage

resistance

current

$$R = \rho \left[\frac{L}{A} \right]$$

material
property

geometrical
factor

