

# BALLISTIC PENDULUM

Name: \_\_\_\_\_ Section: \_\_\_\_\_

Partner: \_\_\_\_\_ Date: \_\_\_\_\_

## A. Ballistic Pendulum:

Table 1: Basic Data

mass of ball	$m$	
mass of catcher	$M$	
Center of Mass (C.M.) initial height at rest	$h_{\text{initial}}$	

Table 2: Data on C.M. height change

Trial #	Final C.M. height = $h_{\text{final}}$	$h = h_{\text{final}} - h_{\text{initial}}$
1		
2		
3		
4		
5		

Mean height  $\bar{h}$ : \_\_\_\_\_  $\sigma_h$  (S.D.): \_\_\_\_\_

Recall that  $\sigma_h$  = standard deviation (S.D.) of an individual measurement:

$$\sigma_h = \sqrt{\frac{\sum_{i=1}^N (h_i - \bar{h})^2}{N - 1}}$$

## B. Projectile Range

Distance from spring plunger end to paper edge  $x_0 =$  \_\_\_\_\_ m.

Table 3: Data on projectile range

Trial #	Distance on Paper $\delta$ (m)	Total horizontal distance $x = x_0 + \delta$
1		
2		
3		
4		
5		

Initial height of the ball above the floor and the estimated error:

$y =$  \_\_\_\_\_  $\Delta y =$  \_\_\_\_\_ m.

Using eqns. (7) and (8) and your ballistic pendulum data calculate the predicted horizontal distance the ball will travel and the error. Compare your predictions with the measured projectile range. Discuss any differences.

Table 4: Comparison of predicted and measured horizontal range values

Predicted	Measured
$X$	$\bar{x}$
$\Delta X$	$\sigma_x$
$X + \Delta X$	$\bar{x} + \sigma_x$
$X - \Delta X$	$\bar{x} - \sigma_x$

Because  $y$  is constant, we expect the variation in the distance traveled to be given by the variation in  $h$ , i.e.,  $\Delta x = (\Delta h/2h)x$ . With this interpretation, what percentage of the measured trajectories would you predict to fall within the predicted range? What percentage actually do?