

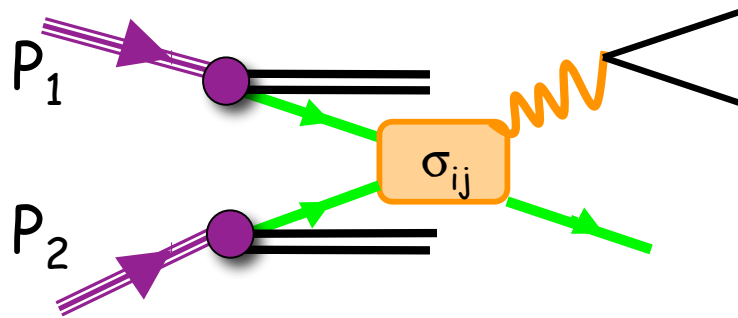
Outline

- *Introduction and Main Goal for an EIC*
- *Hard Exclusive Charmed Mesons Production*
 - ⇒ *A unique investigation of charm content of nucleon*
- *From JLAB 6-12 GeV to EIC*
 - ⇒ *Modeling the Q^2 dependence of neutral mesons electroproduction*
(S. Ahmad, G. Goldstein, S.L., PRD79, 2008; G. Goldstein, S.L., hep 2010)
- *Conclusions/Outlook*

Introduction

The next decade...role of QCD at the LHC

- LHC results from multi-TeV CM energy collisions will open new horizons but many "candidate theories" will provide similar signatures of a departure from SM predictions...
- Precision measurements require QCD input



$$\sigma(P_1, P_2) = \sum_{i,j} \int dx_1 dx_2 f_i(x_1, \mu_F) f_j(x_2, \mu_F) \hat{\sigma}(x_1, x_2, \alpha_S(\mu_R), \mu_F)$$

Measured x-section

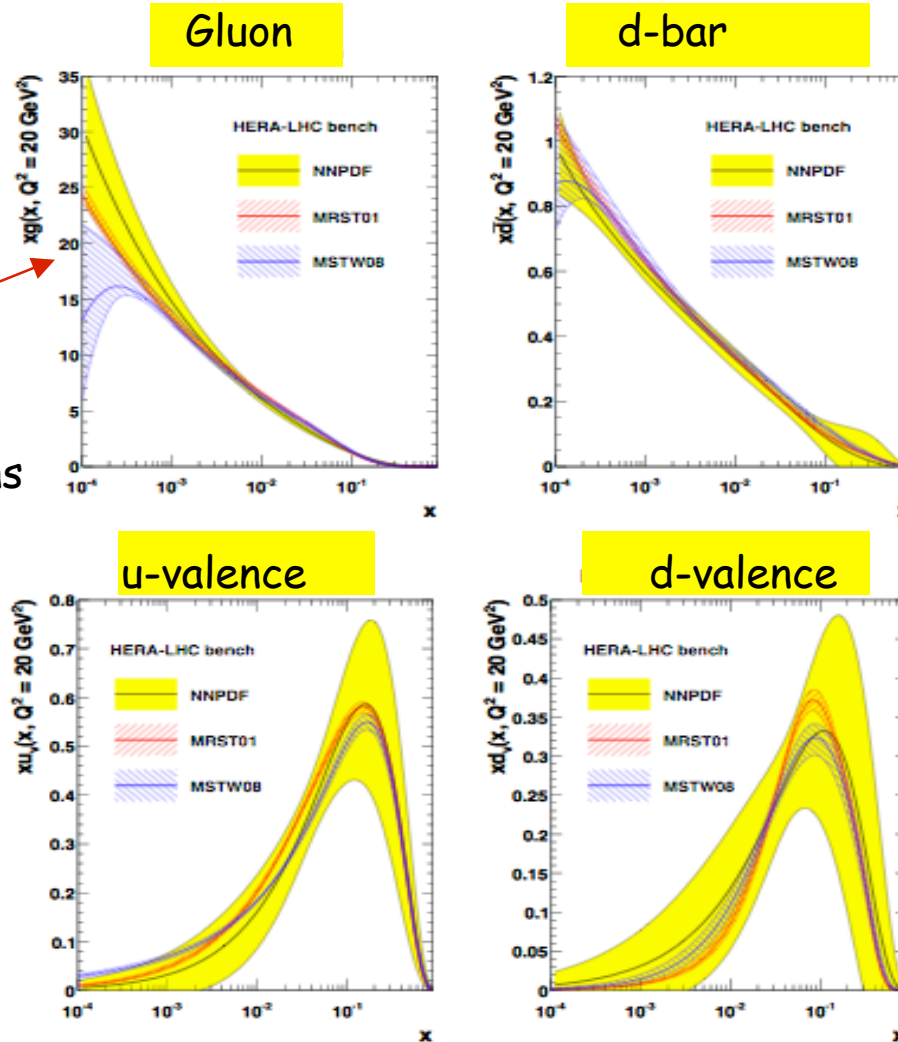
Parton distributions

Hard process x-section

- QCD: A background for "beyond the SM discovery"
- Interesting dynamical questions for QCD at untested high energies

Most important points for EIC

1) Our understanding of the structure of hadrons is ... disconcertingly incomple



Uncertainties from different PDF evaluations/extractions (Δ_{PDF}) are smaller than the differences between the evaluations (Δ_G)

$$\Delta_{PDF} < \Delta_G$$

2) Rich dynamics of hadrons can only be accessed and tested at the desired accuracy level in **lepton DIS**

- Our contribution to EIC physics (S.L. with G. Goldstein and L. Gamberg)

Study heavy quark components → charm, through hard exclusive processes

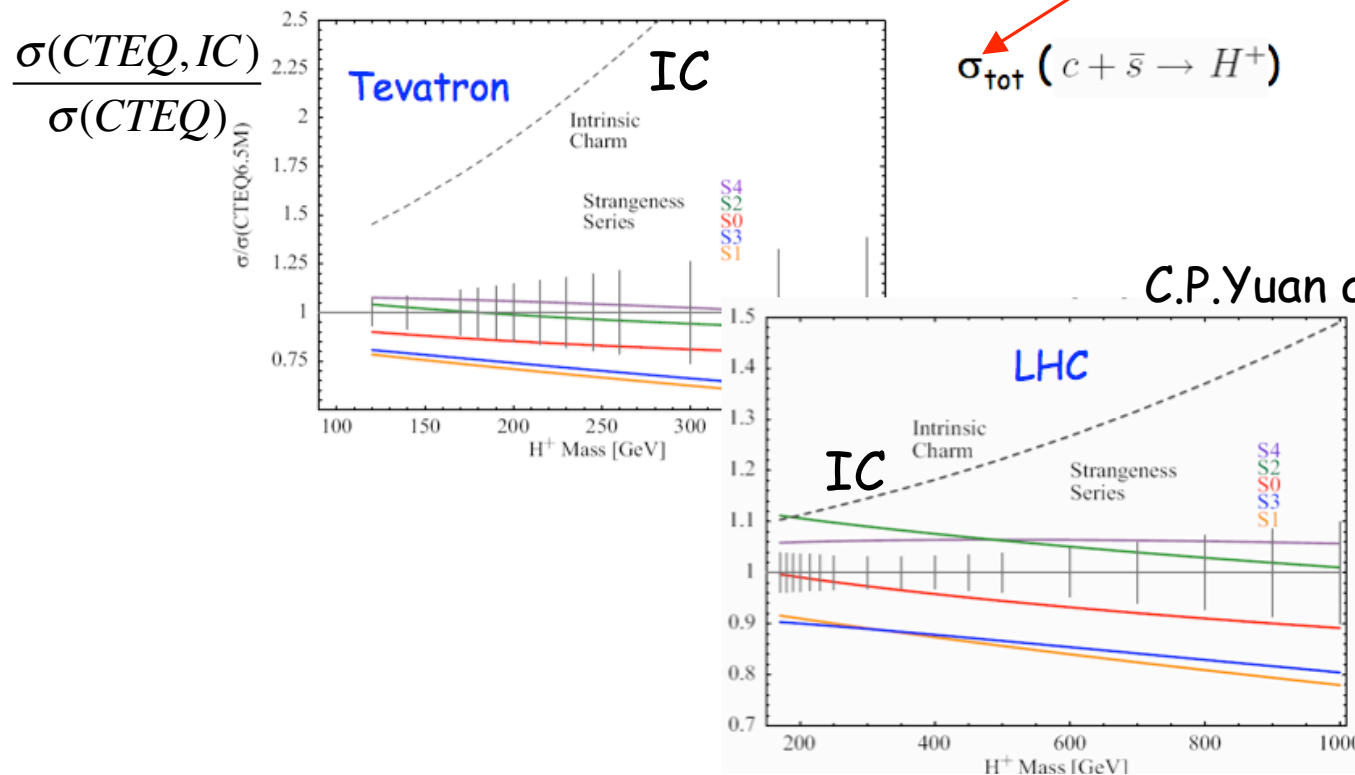
Why charm?

LHC processes are sensitive to charm content of the proton

⇒ Higgs production: SM Higgs, charged Higgs, $c\bar{s} \rightarrow H^+$

⇒ Precision physics (CKM matrix elements, V_{tb} ...): single top production

Impact of new CTEQ6.5(M,S,C) PDFs



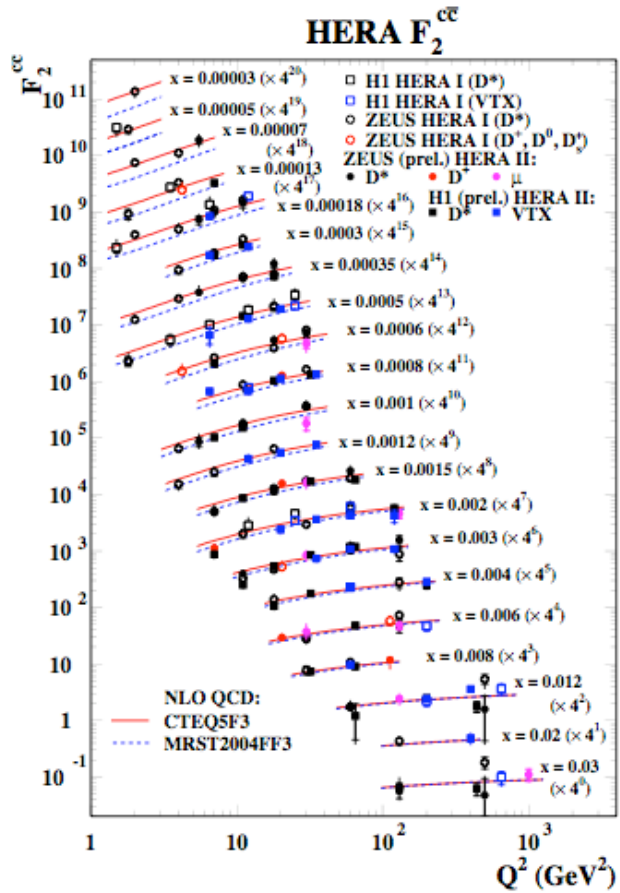
CTEQ 6.6

IMPLICATIONS OF CTEQ GLOBAL ANALYSIS FOR ...

PHYSICAL REVIEW D 78, 013004 (

TABLE V. Relative differences $\Delta_{\text{GM}} \equiv \sigma_{6.1}/\sigma_{6.6} - 1$ between CTEQ 6.1 and CTEQ 6.6 cross sections for Higgs boson production at the LHC listed at the beginning of Sec. IV, compared to the PDF uncertainties Δ_{PDF} in these processes. The Ah^\pm cross section combined production of positively and negatively charged Higgs bosons, with m_h being the mass of the CP -odd boson ($m_h = m_{h^\pm}$ and m_{h^\pm} given by $m_{h^\pm}^2 = m_A^2 + M_W^2$).

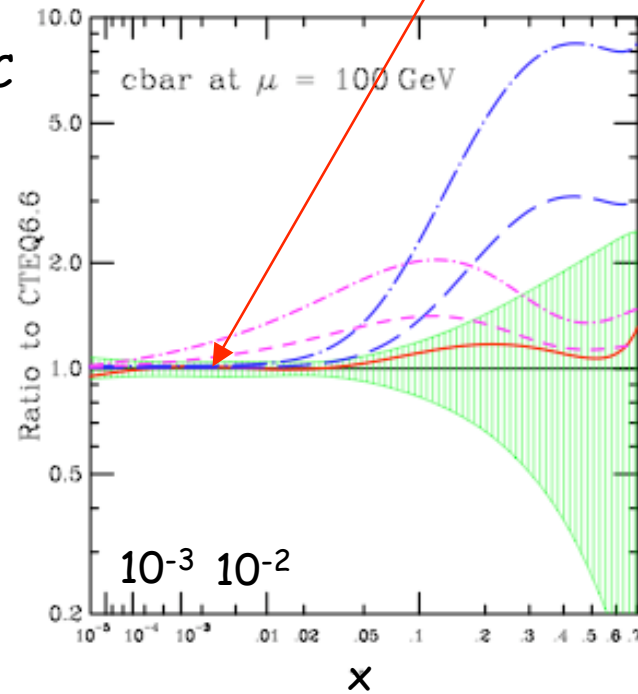
m_h (GeV)	$\Delta_{\text{GM}}(\%) \Delta_{\text{PDF}}(\%)$										$c\bar{s} \rightarrow h^+$		$c\bar{s} + c\bar{b} \rightarrow$
	VBF		Z^0h		Ah^\pm		$gg \rightarrow h$		$c\bar{b} \rightarrow h^+$				
100	-3.8	3.1	-3.2	2.7	-3.2	4.3	0.6	4.4	1.5	5.9	-18	10	-8.4
200	-1.8	2.8	-1.6	2.8	-1.9	4.3	1.7	3.2	2.1	4.7	-16	8	-6.6
300	-1.6	2.8	-0.6	3	-0.4	5.3	2.3	2.7	1.9	4.3	-14	7	-6.2
400	-0.1	3.3	0	3.4	0.7	6.6	2.8	3.8	2	4.8	-13	6.3	-5.6
500	0.2	2.8	0.4	3.7	1.1	7.6	3.3	3.9	2.3	6.1	-12	6.3	-5
600	-0.7	3.5	0.7	4.1	1.6	9.2	3.8	5.0	2.8	8	-11	6.8	-4.2
700	0.2	3.0	0.9	4.4	2.1	11	4.3	6.3	3.4	10	-9.9	7.7	-3.4
800	2.3	3.5	1	4.8	2.8	13	4.9	7.8	4.1	12	-8.7	9	-2.4



Data are at very low x where they cannot discriminate whether IC is there

IC/no-IC

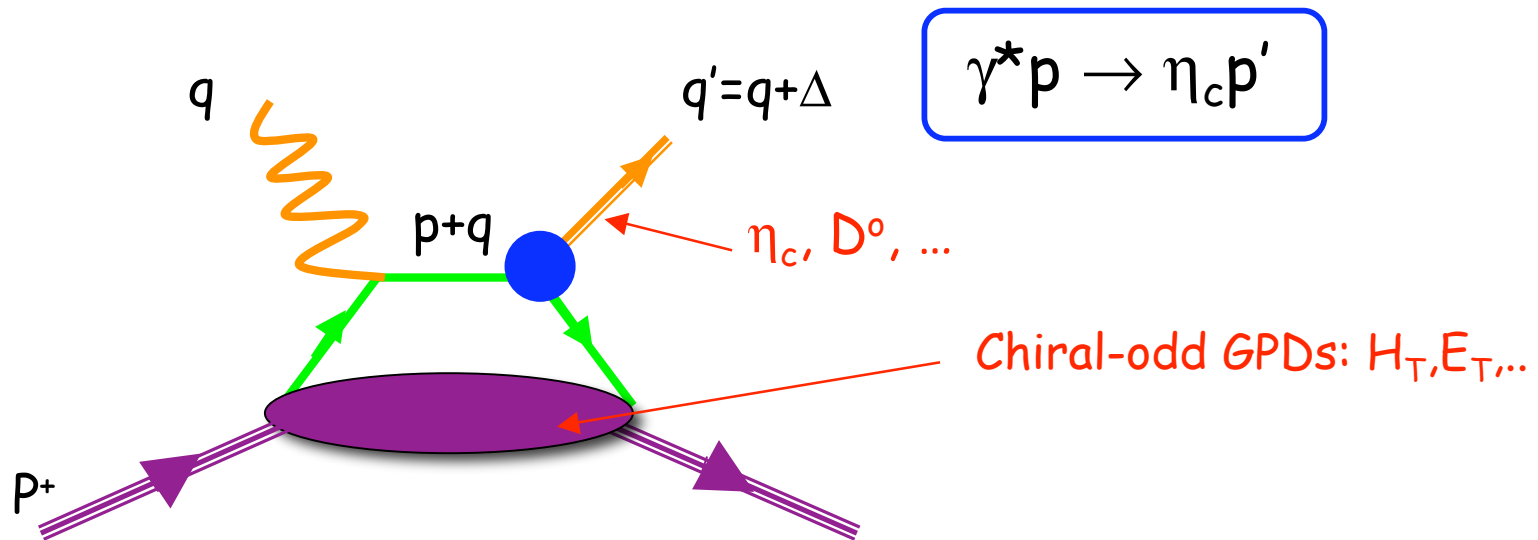
PAVEL M. NADOLSKY *et al.*



A window into heavy flavor production at the EIC

η_c , D^0 , and \bar{D}^0 exclusive production is governed by chiral-odd soft matrix elements (\Rightarrow Generalized Parton Distributions, GPDs) which cannot evolve from gluons!

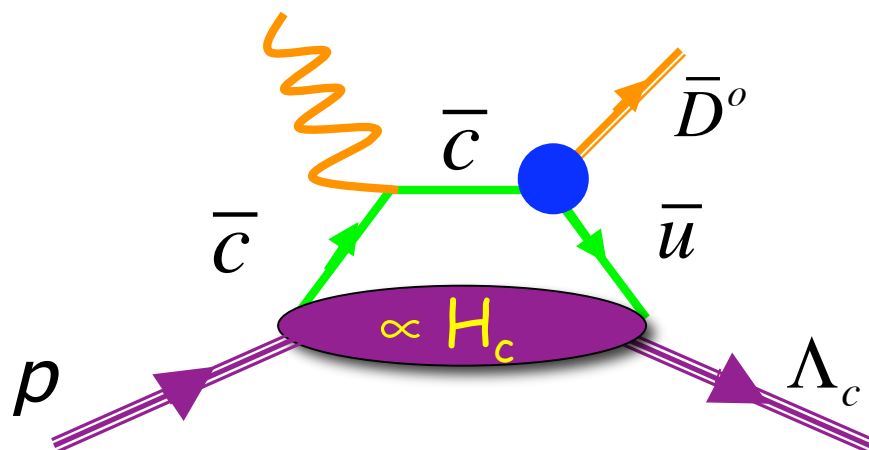
η_c , D^0 , and \bar{D}^0 used as triggers of "intrinsic charm content"!



What Observables?

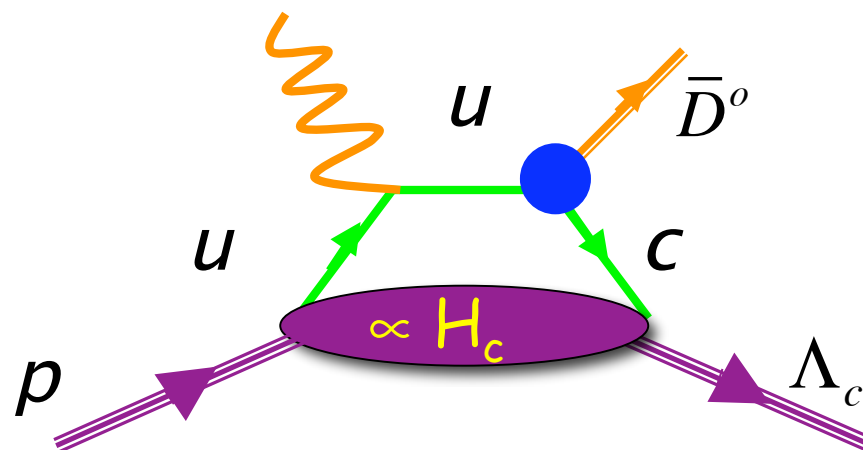
Spin Asymmetries from Exclusive Heavy Quark Meson Production

(1)



$$p \rightarrow \bar{c}cuud \rightarrow (\bar{u}u)cud = \Lambda_c$$

(2)



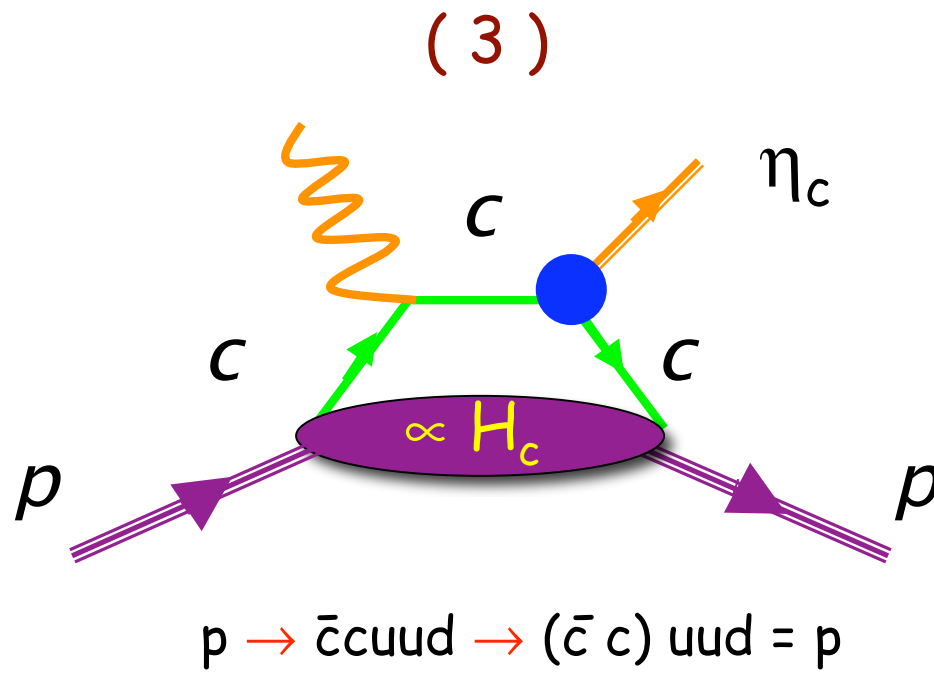
$$p \rightarrow u + ud \rightarrow cud = \Lambda_c$$

$$\gamma^* p \rightarrow \bar{D}^0 \Lambda_c^+ \Rightarrow 2H_u - H_d + H_c$$

$$\gamma^* p \rightarrow \bar{D}^0 \Sigma_c^+ \Rightarrow H_d - H_c$$

$$\gamma^* n \rightarrow \bar{D}^0 \Sigma_c^0 \Rightarrow H_u - H_c$$

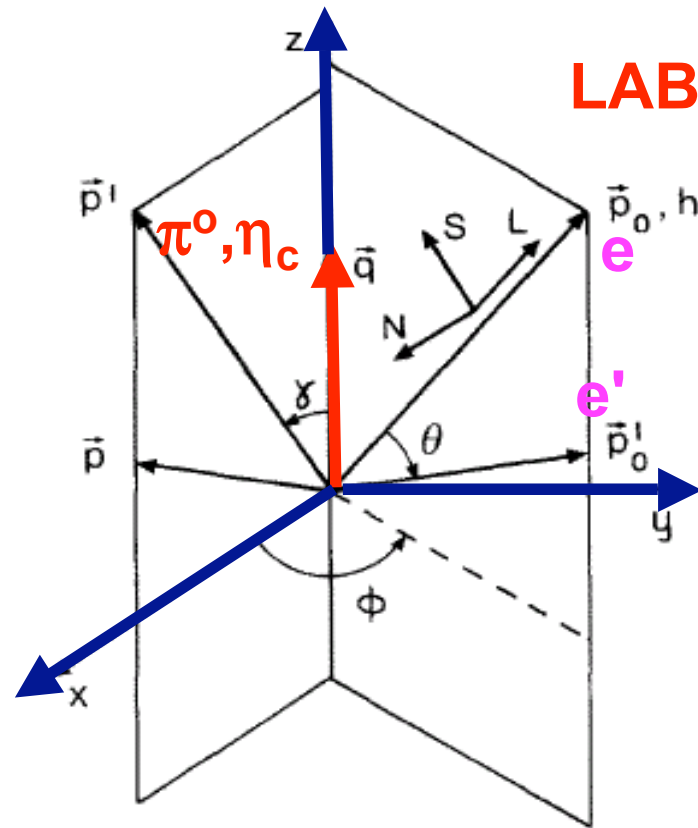
SU(4) relations allow
one to extract H_c



EIC "golden plated signal"

$$\eta_c = c\bar{c} \rightarrow J^{PC} = 0^{-+}$$

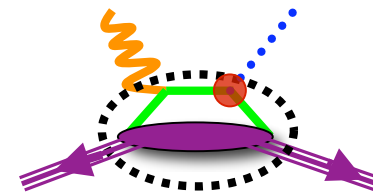
Unpolarized Cross Section



$$d\sigma \propto L_{\mu\nu}^{h=\pi^0} W_{\mu\nu}$$

$L_{\mu\nu}^{h=\pi^0} \approx \gamma^*$ polarization density matrix

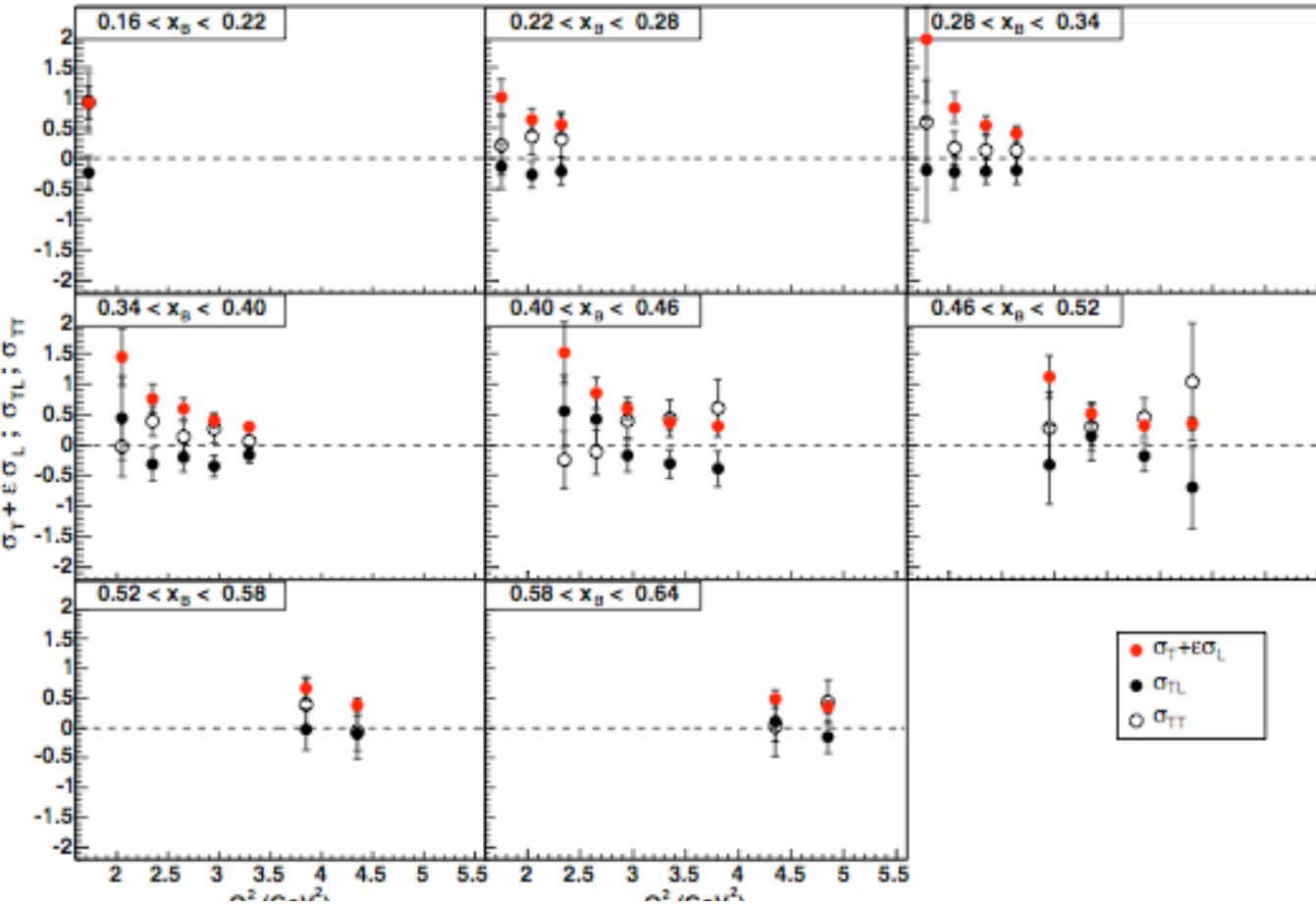
$W_{\mu\nu} = \sum_f J_\mu J_\nu^* \delta(E_i - E_f) =$ hadronic tensor



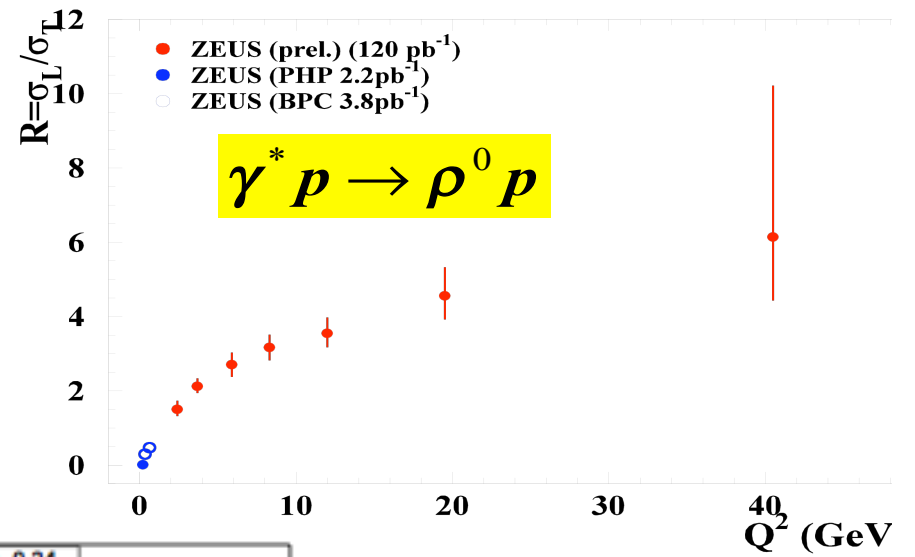
$$\frac{d\sigma}{dt d\phi} = \left(\frac{d\sigma_T}{dt} + \epsilon \frac{d\sigma_L}{dt} \right) + \epsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi + \sqrt{2\epsilon(\epsilon + 1)} \frac{d\sigma_{LT}}{dt} \cos \phi$$

Q^2 dependence in exclusive meson production

Jlab

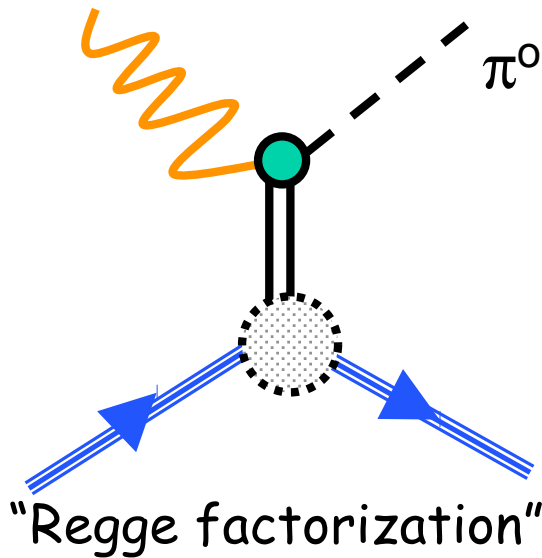


ZEUS



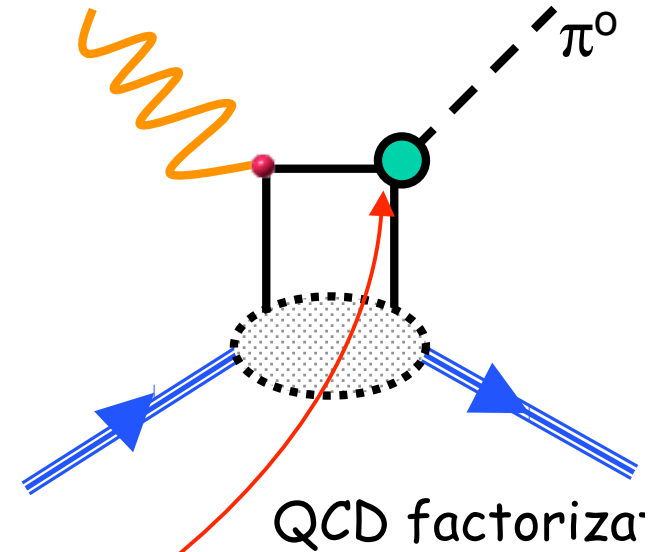
Unexpected dominance of transverse component

Q² dependence



$J^{PC}=1^{--}$ $\gamma, \rho, \omega, \dots$

$J^{PC}=1^{+-}$ b_1, h_1



chiral-even structure

π^0 vertex is described by current operators: γ_5 or $\gamma_\mu \gamma_5$

GPDs: \tilde{H} ,

$\gamma_5 \rightarrow$

$$\gamma_5(k + \not{A})\gamma^\mu = (k_\nu + q_\nu) \frac{\gamma_5}{2} (\{\gamma^\nu, \gamma^\mu\} + [\gamma^\nu, \gamma^\mu]) = (k_\nu + q_\nu) \gamma_5 (i\sigma^{\mu\nu} + g^{\mu\nu})$$

$\propto i\gamma_5 \sigma^{\mu\nu}$

chiral-odd structure

GPDs: $H_T, E_T, \tilde{H}_T, \tilde{E}_T \dots$

Chiral Even Sector: M. Diehl and D. Ivanov (2008)

distribution	J^{PC}
$H^q(x, \xi, t) - H^q(-x, \xi, t)$	$0^{++}, 2^{++}, \dots$
$E^q(x, \xi, t) - E^q(-x, \xi, t)$	$0^{++}, 2^{++}, \dots$
$\tilde{H}^q(x, \xi, t) + \tilde{H}^q(-x, \xi, t)$	$1^{++}, 3^{++}, \dots$
$\tilde{E}^q(x, \xi, t) + \tilde{E}^q(-x, \xi, t)$	$0^{-+}, 1^{++}, 2^{-+}, 3^{++}, \dots$
$H^q(x, \xi, t) + H^q(-x, \xi, t)$	$1^{--}, 3^{--}, \dots$
$E^q(x, \xi, t) + E^q(-x, \xi, t)$	$1^{--}, 3^{--}, \dots$
$\tilde{H}^q(x, \xi, t) - \tilde{H}^q(-x, \xi, t)$	$2^{--}, 4^{--}, \dots$
$\tilde{E}^q(x, \xi, t) - \tilde{E}^q(-x, \xi, t)$	$1^{+-}, 2^{--}, 3^{+-}, 4^{--}, \dots$

Only combination good for π^0 production



GPDs: \tilde{H} , \tilde{E} , and Weak Form factors

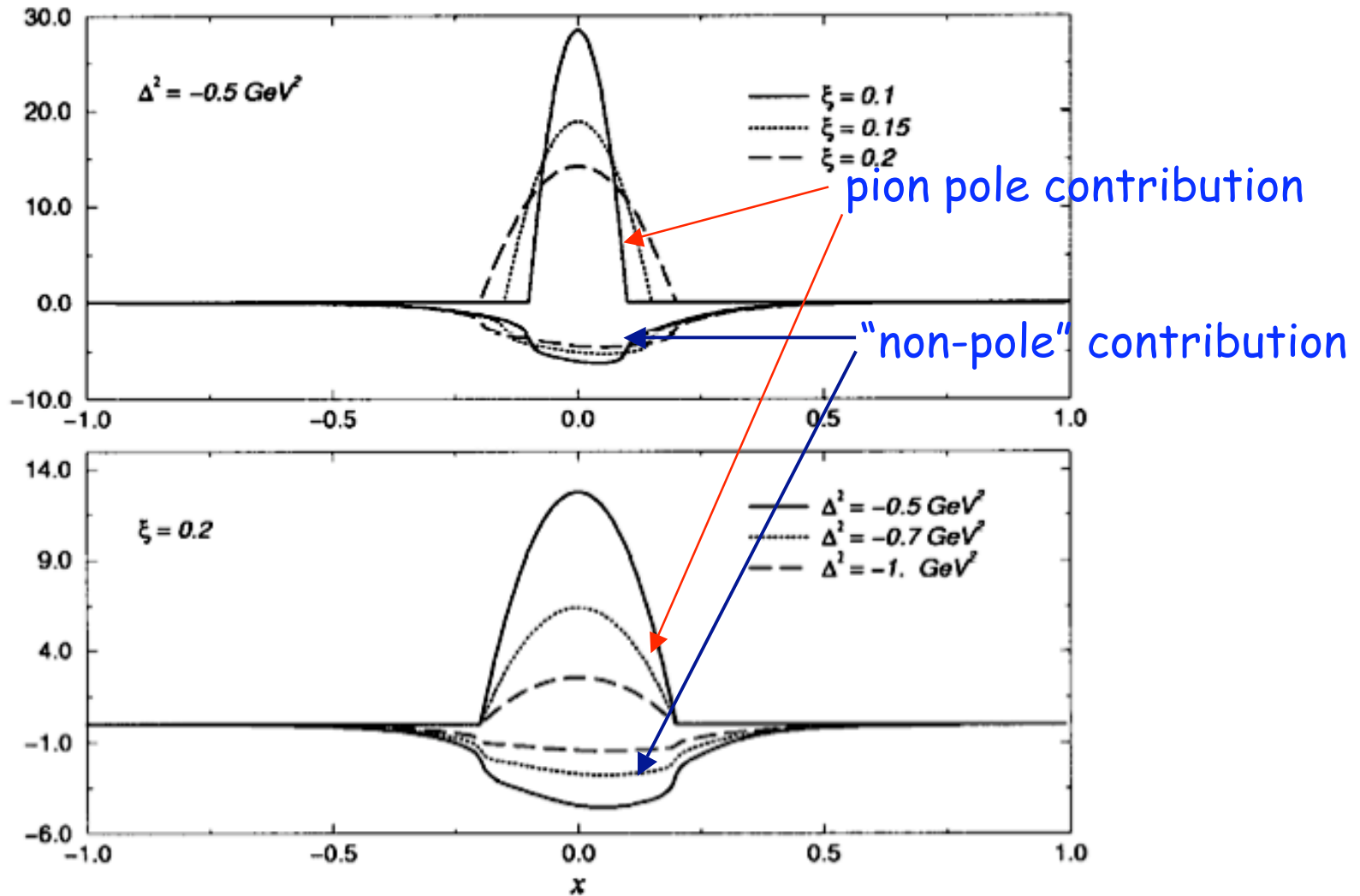
$$\langle N(p')\Lambda' | J_A^\nu | N(p)\Lambda \rangle = \bar{U}^{(\Lambda')}(p') \left[\underline{g_A(t)} \gamma^\nu \gamma^5 + \frac{g_P(t)}{m_\mu} \Delta^\nu \gamma^5 \right] U^{(\Lambda)}(p)$$

$$g_P(t) = \frac{2m_\mu M}{m_\pi^2 - t} g_A(0)$$

$g_P(t)$ = pseudoscalar form factor \rightarrow dominated by pion pole

\tilde{E}

Goeke et al.



- 1) For π^0 production the pion pole contribution is absent!
- 2) The non-pole contribution is very small!

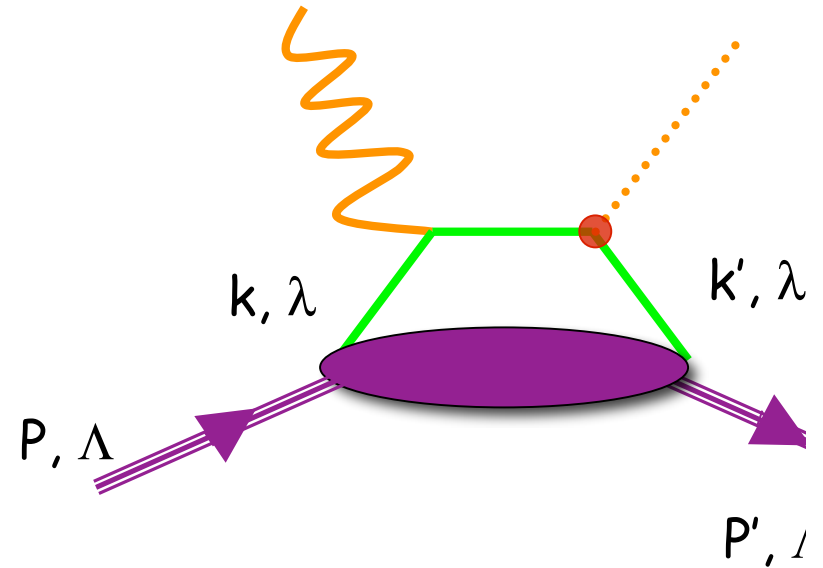
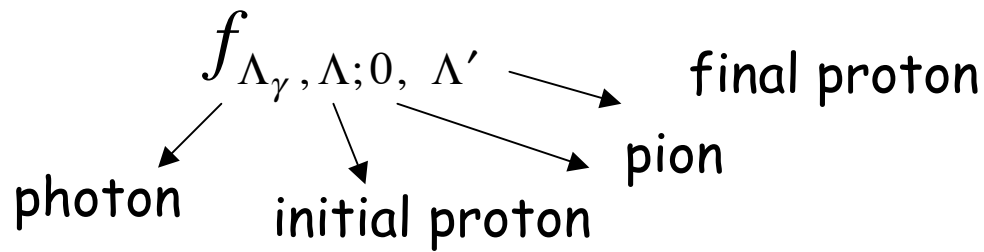
π^0, η_c electroproduction happens
mostly in the chiral-odd sector

⇒ it is governed by chiral-odd GPDs

⇒ issue overlooked in most recent
literature on the subject

Since chiral-odd GPDs cannot evolve from gluons we have proven that η_c , D^0 , and D^+ uniquely single out the “intrinsic charm content”!

Helicity Amplitudes formalism



Factorized form

$$f_{\Lambda_\gamma, \Lambda; 0, \Lambda'} = \sum_{\lambda, \lambda'} \underbrace{g_{\Lambda_\gamma, \lambda; 0, \lambda'}(X, \zeta, t, Q^2)}_{\text{green}} \otimes \underbrace{A_{\Lambda', \lambda'; \Lambda, \lambda}(X, \zeta, t)}_{\text{red}}$$

γ quark scattering amp.

"quark-proton helicity amp

6 "f" helicity amps

$$\begin{aligned} \frac{d\sigma_T}{dt} &= \mathcal{N} (|f_{1,+;0,+}|^2 + |f_{1,+;0,-}|^2 + |f_{1,-;0,+}|^2 + |f_{1,-;0,-}|^2) \\ &= \mathcal{N} (|f_1|^2 + |f_2|^2 + |f_3|^2 + |f_4|^2) \\ \frac{d\sigma_L}{dt} &= \mathcal{N} (|f_{0,+;0,+}|^2 + |f_{0,+;0,-}|^2) \\ &= \mathcal{N} (|f_5|^2 + |f_6|^2), \end{aligned}$$

Rewrite helicity amps. expressions using new GFFs

$$f_1 = f_4 = \frac{g_2}{C_q} F_V(Q^2) \frac{\sqrt{t_0 - t}}{2M} \left[\tilde{\mathcal{H}}_T + \frac{1 - \xi}{2} \mathcal{E}_T + \frac{1 - \xi}{2} \tilde{\mathcal{E}}_T \right]$$

$$f_2 = \frac{g_2}{C_q} [F_V(Q^2) + F_A(Q^2)] \sqrt{1 - \xi^2} \left[\mathcal{H}_T + \frac{t_0 - t}{4M^2} \tilde{\mathcal{H}}_T - \frac{\xi^2}{1 - \xi^2} \mathcal{E}_T + \frac{\xi}{1 - \xi^2} \tilde{\mathcal{E}}_T \right]$$

$$f_3 = \frac{g_2}{C_q} [F_V(Q^2) - F_A(Q^2)] \sqrt{1 - \xi^2} \frac{t_0 - t}{4M^2} \tilde{\mathcal{H}}_T$$

$$f_5 = \frac{g_5}{C_q} F_A(Q^2) \sqrt{1 - \xi^2} \left[\mathcal{H}_T + \frac{t_0 - t}{4M^2} \tilde{\mathcal{H}}_T - \frac{\xi^2}{1 - \xi^2} \mathcal{E}_T + \frac{\xi}{1 - \xi^2} \tilde{\mathcal{E}}_T \right],$$

elementary subprocess

Q^2 dependent pion vertex

GFFs

Standard approach (Goloskokov and Kroll, 2009)

$\gamma_\mu \gamma_5 \Rightarrow$ leading twist contribution within OPE,
leads to suppression of transverse vs. longitudinal terms
 $\gamma_5 \Rightarrow$ twist-3 contribution is possible

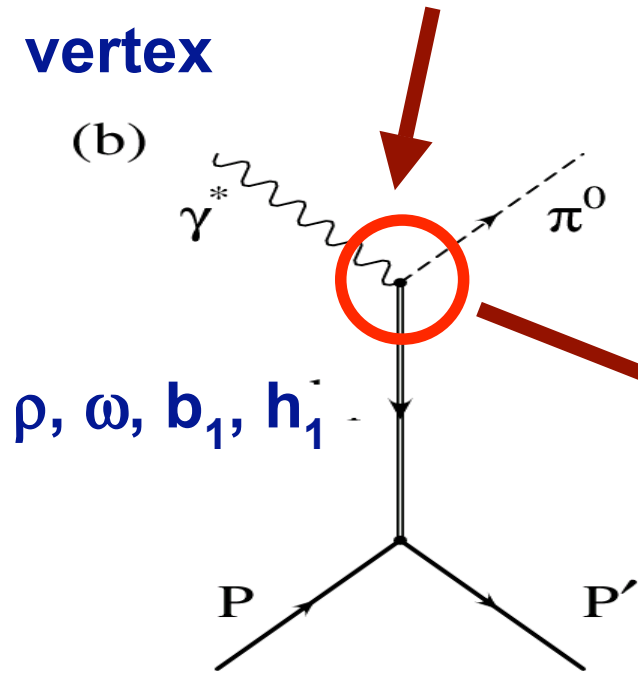
However...

\Rightarrow suppression is not seen in experiments

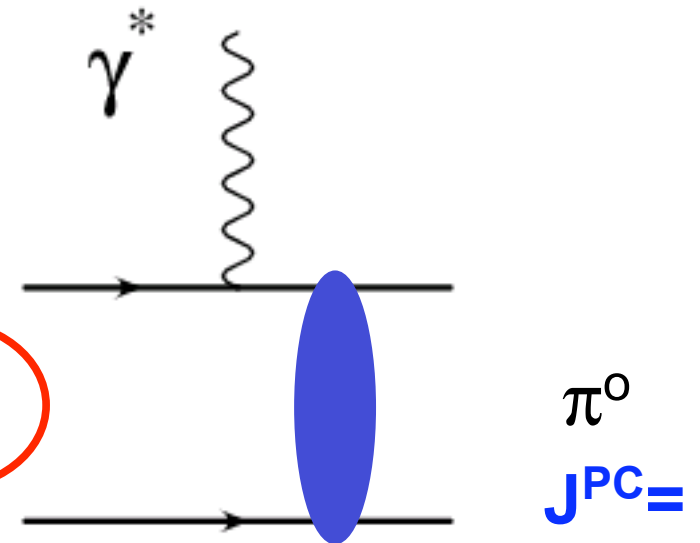
Need to devise method to go beyond the collinear OPE: consider a mechanism that takes into account the breaking of rotational symmetry by the scattering plane in helicity flip processes (transverse d.o.f.)

Q² dependence

t-channel exchange
vertex



modeled as $F_{\rho\gamma}$ (pseudoscalar-meson transition form factor)



ρ, ω b_1, h_1

$J^{PC} = 1^{--} (^3S_1)$

$J^{PC} = 1^{+-} (^1P_1)$

mesons quark content: $\frac{1}{\sqrt{2}} (u\bar{u} \pm d\bar{d})$

Distinction between ω, ρ (vector) and b_1, h_1 (axial-vector) exchange

$J^{PC}=1^{--}$ \longrightarrow transition from $\omega, \rho (S=1 L=0)$ to $\pi^0 (S=0 L=0)$ $\Delta L = 0$

$J^{PC}=1^{+-}$ \longrightarrow transition from $b_1, h_1 (S=0 L=1)$ to $\pi^0 (S=0 L=0)$ $\Delta L = 1$

“Vector” exchanges no change in OAM

“Axial-vector” exchanges change 1 unit of OAM!

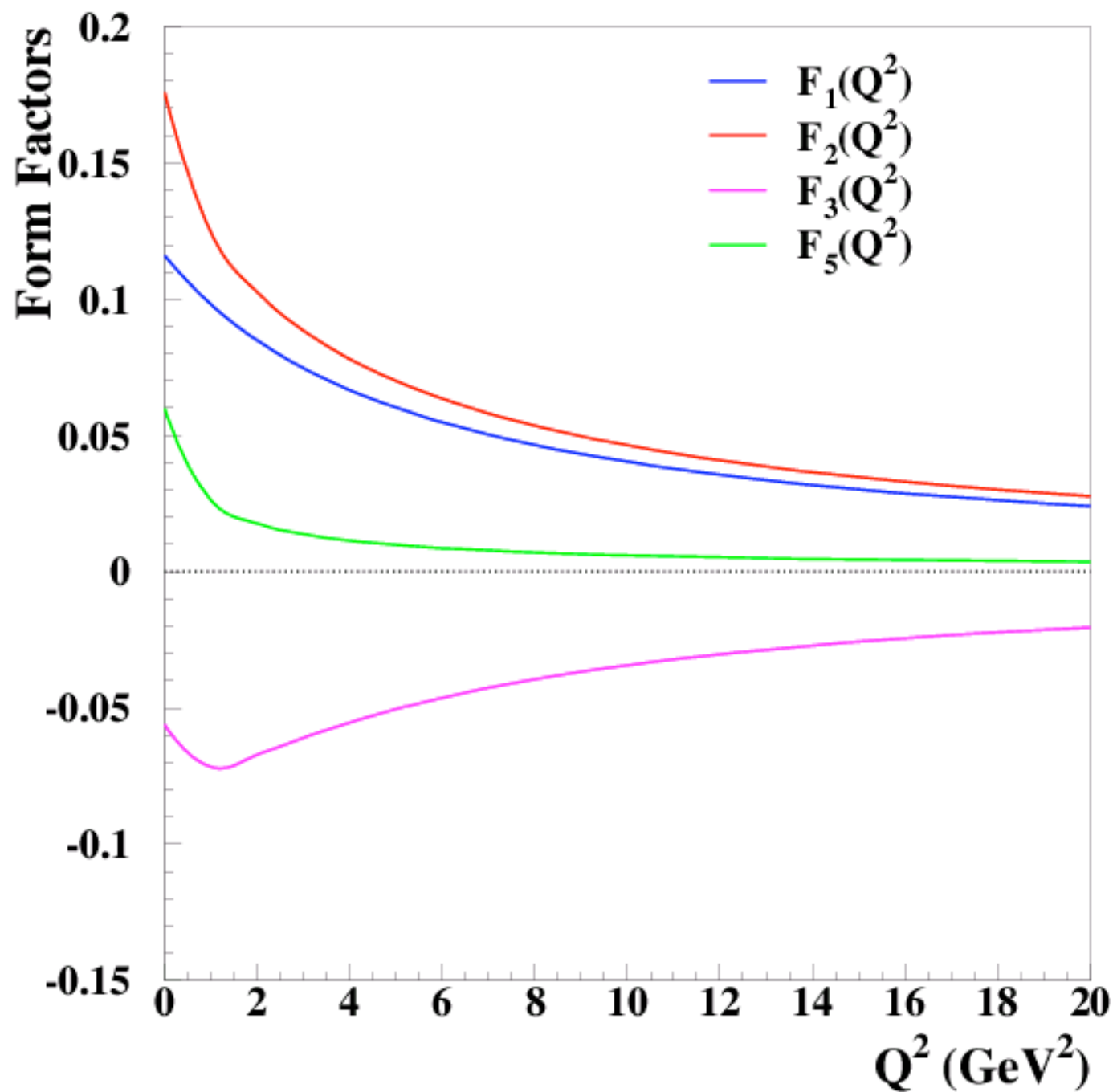
$$F_{\gamma^* V \pi^0} = \int dx_1 dy_1 \int d^2 \mathbf{b} \psi_V(y_1, b) CK_0(\sqrt{x_1(1-x_1)Q^2}b) \psi_{\pi^0}(x_1, b) \exp(-S)$$

$$F_{\gamma^* A \pi^0} = \int dx_1 dy_1 \int d^2 \mathbf{b} \psi_A^{(1)}(y_1, b) CK_0(\sqrt{x_1(1-x_1)Q^2}b) \psi_{\pi^0}(x_1, b) \exp(-S)$$

Because of OAM axial vector transition involves Bessel J_1

$$\psi_A^{(1)}(y_1, b) = \int d^2 k_T J_1(y_1 b) \psi(y_1, k_T),$$

This yields configurations of larger “radius” in b space (suppressed with G



Global parametrizations for GPDs...?

The name of the game: Devise a form combining essential dynamical elements with a flexible model that allows for a fully quantitative analysis constrained by the data

$$H_q(X, \zeta, t) = \underbrace{R(X, \zeta, t)} \underbrace{G(X, \zeta, t)}$$

“Regge”

Quark-Diquark

+ Q^2 Evolution

$\zeta=0, t=0$

Parton Distribution Functions

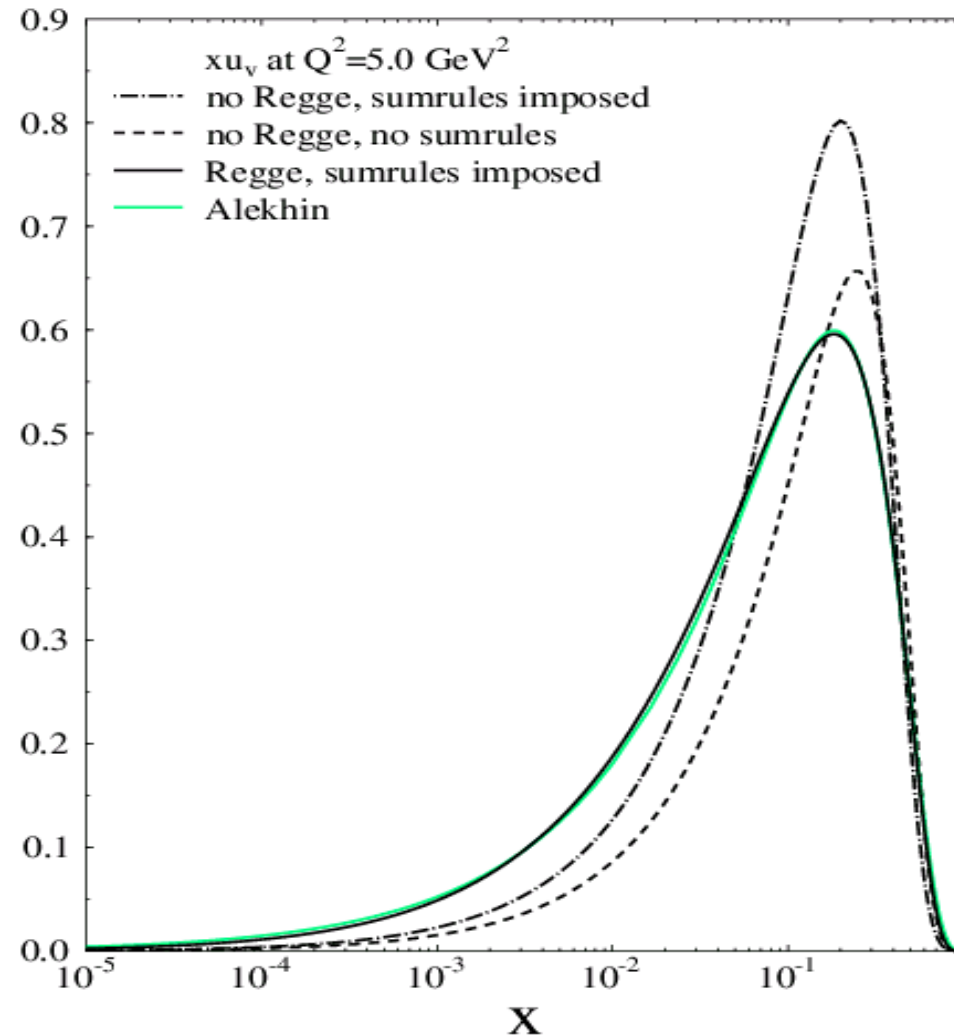
Notice! GPD parametric form is given at $Q^2=Q_0^2$ and evolved to Q^2 of data.

Notice! We provide a parametrization for GPDs that simultaneously fits the PDFs:

$$H_q(X,z,t) = R(X,z,t) G(X,z,t)$$

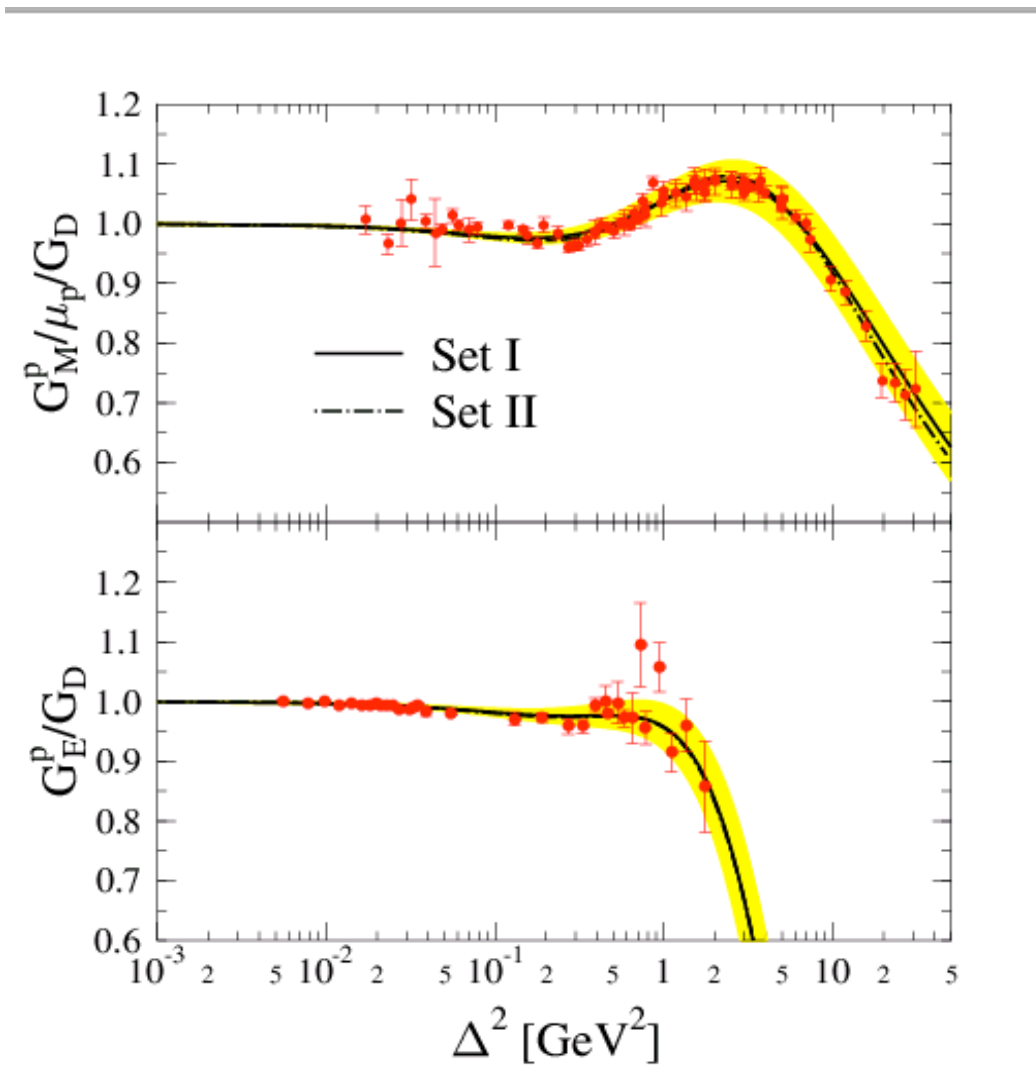
Regge

Quark-Diquark



$\zeta = 0, t \neq 0$

Nucleon Form Factors



$$\int_0^1 dX H^q(X, t) = F_1^q(t)$$

$$\int_0^1 dX E^q(X, t) = F_2^q(t),$$

Data Set	χ^2/N_{data} Set 1	χ^2/N_{data} Set 2	Data Points
G_{E_p}	1.049	0.963	33
G_{M_p}	1.194	1.220	75
G_{E_p}/G_{M_p}	0.689	0.569	20
G_{E_n}	0.808	1.059	25
G_{M_n}	2.068	1.286	24
TOTAL	1.174	1.085	177

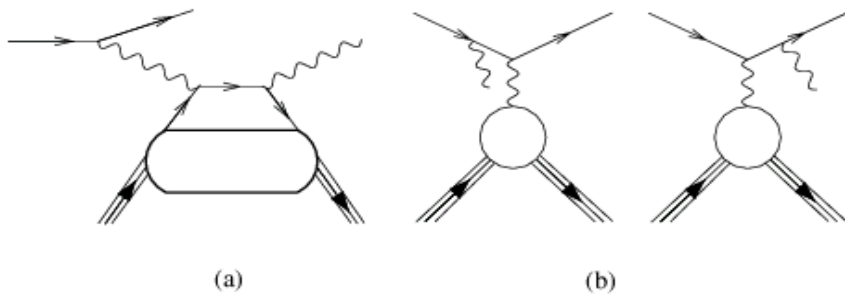
Parameters from PDFs

Flavor	M_X (GeV)	λ (GeV)	α
u	0.4972	0.9728	1.2261
d	0.7918	0.9214	1.0433

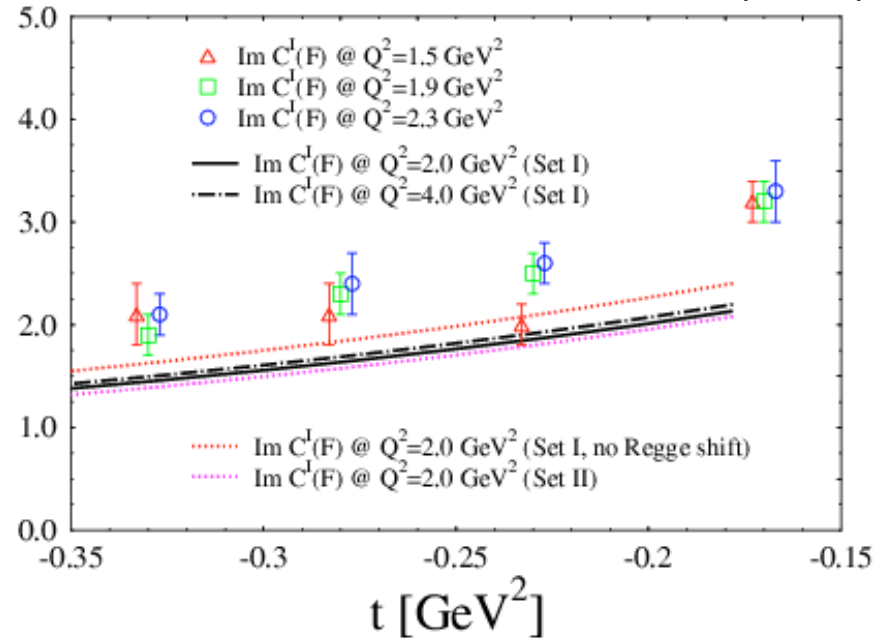
Parameters from FFs

Flavor	β_1 (GeV ⁻²)	β_2 (GeV ⁻²)	p_1	p_2
u	1.9263 ± 0.0439	3.0792 ± 0.1318	0.720 ± 0.028	0.528 ± 0.0
d	1.5707 ± 0.0368	1.4316 ± 0.0440	0.720 ± 0.028	0.528 ± 0.0

BSA data are predicted at this stage



Munoz Camacho et al., PRL(2006)

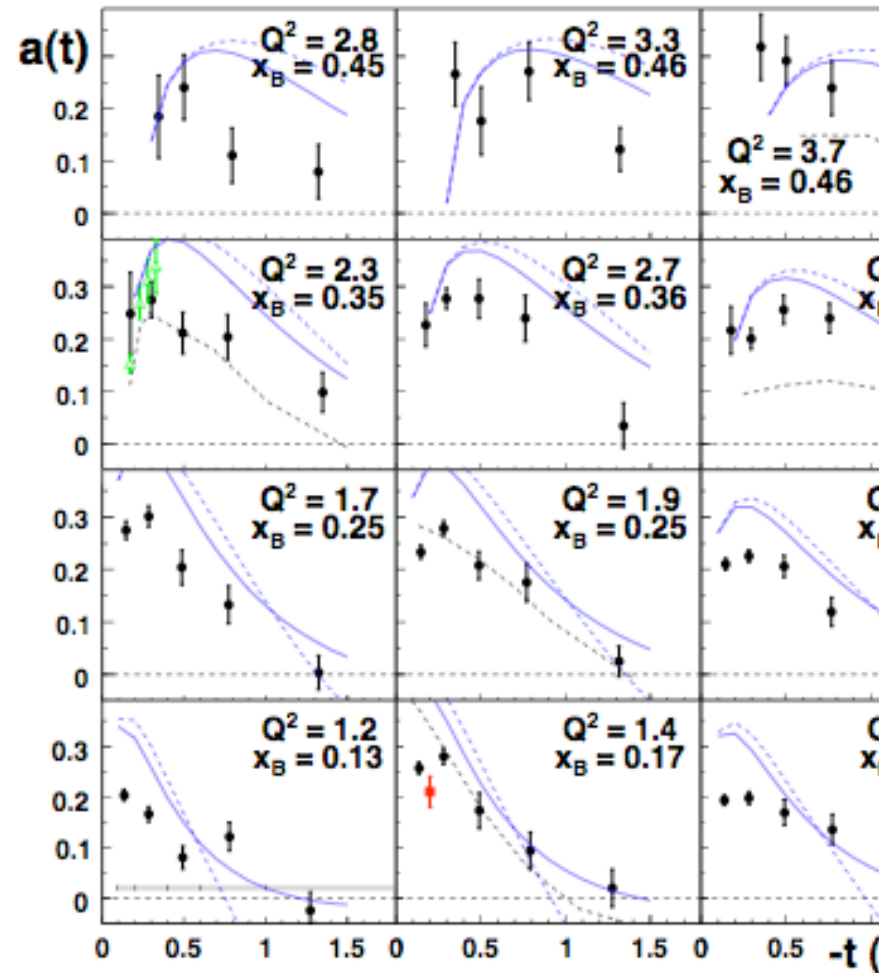
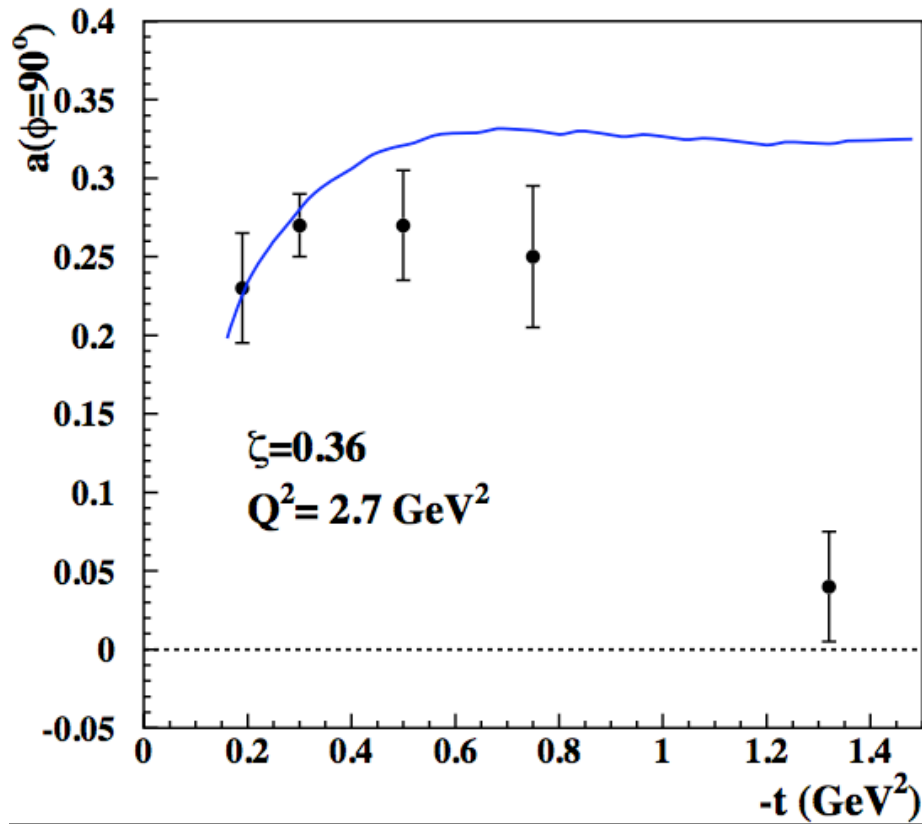


- Observable given by Interference Term between DVCS (a) and BH(b):

$$d\sigma^{\rightarrow} - d\sigma^{\leftarrow} \propto \sin\phi \left[F_1(\Delta^2)\mathcal{H} + \frac{x}{2-x}(F_1 + F_2)\tilde{\mathcal{H}} + \frac{\Delta^2}{M^2}F_2(\Delta^2)\mathcal{E} \right]$$

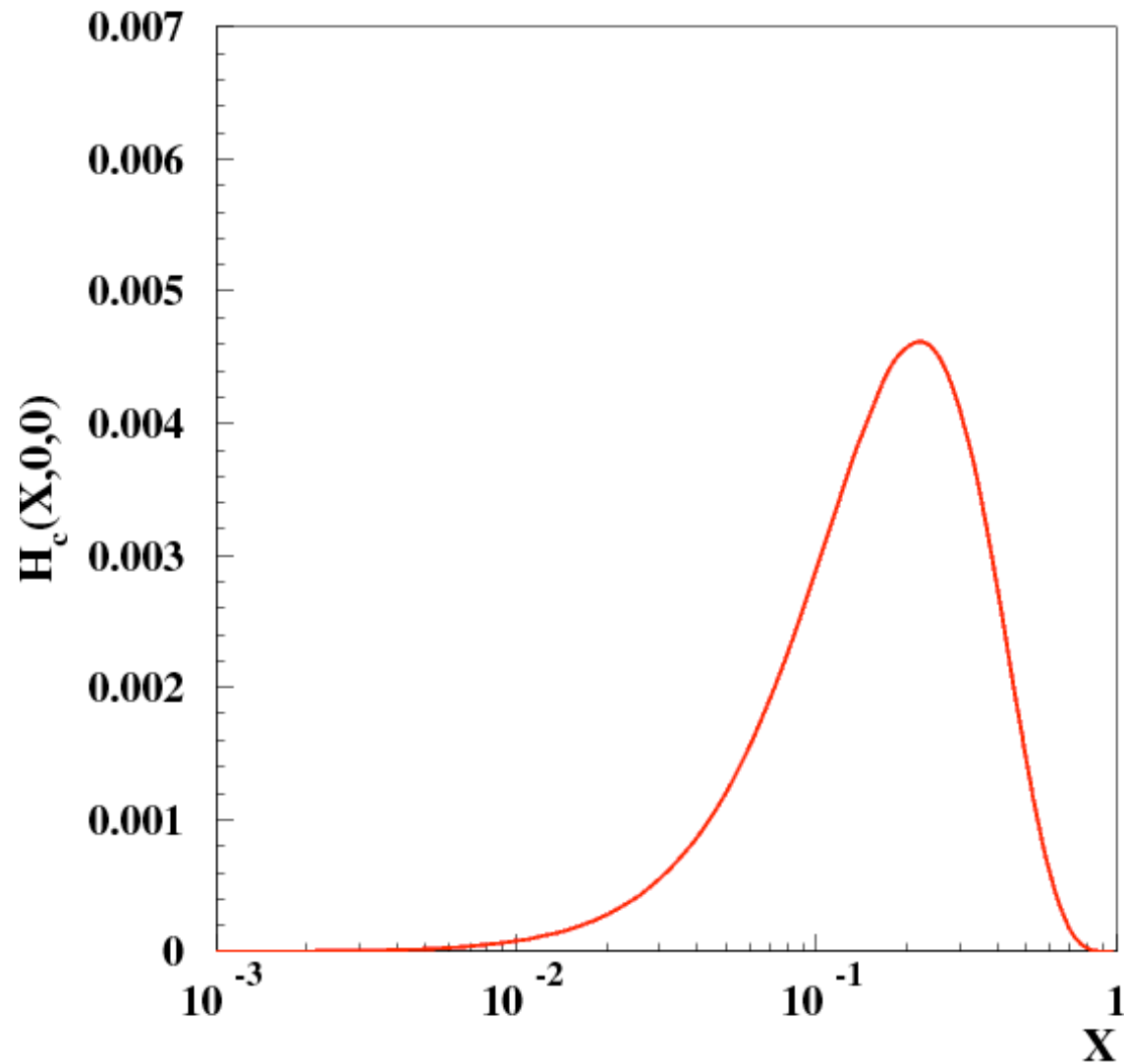
$$\mathcal{H} = \sum_q e_q^2 (H(\xi, \xi, \Delta^2) - H(-\xi, \xi, \Delta^2))$$

Hall B (one binning, 11 more)



Preliminary predictions for EIC

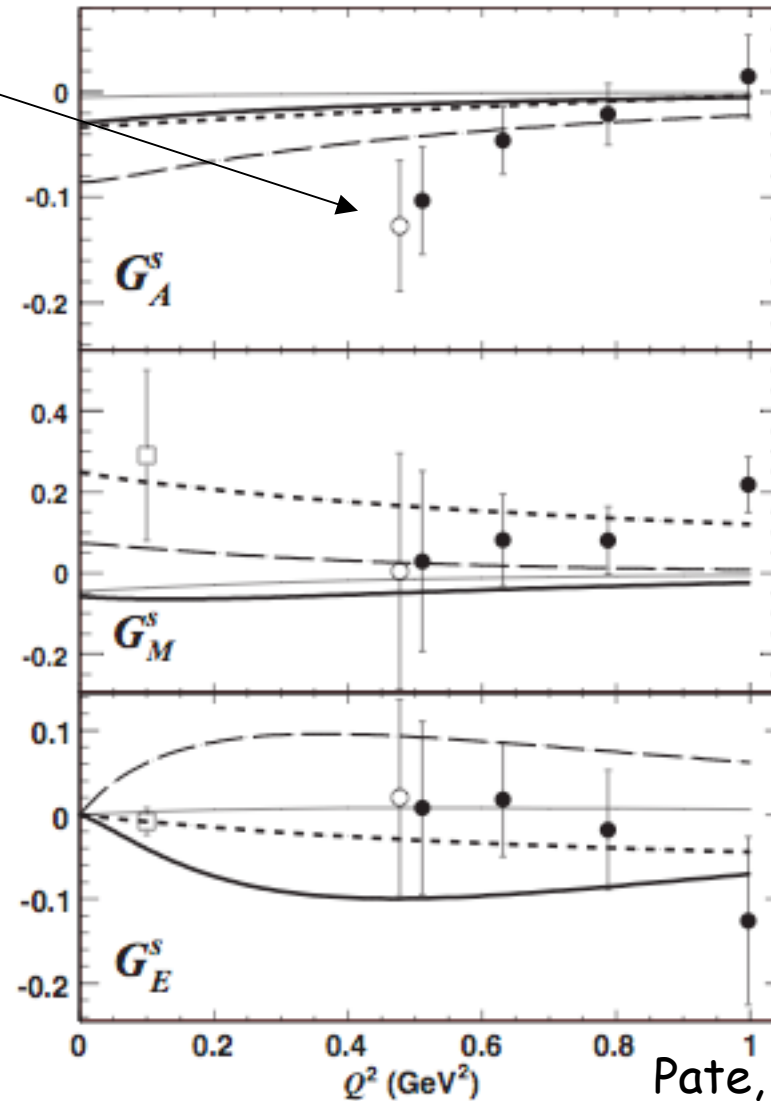
⇒ Replace PDF used for light quarks GPDs with NP charm based one



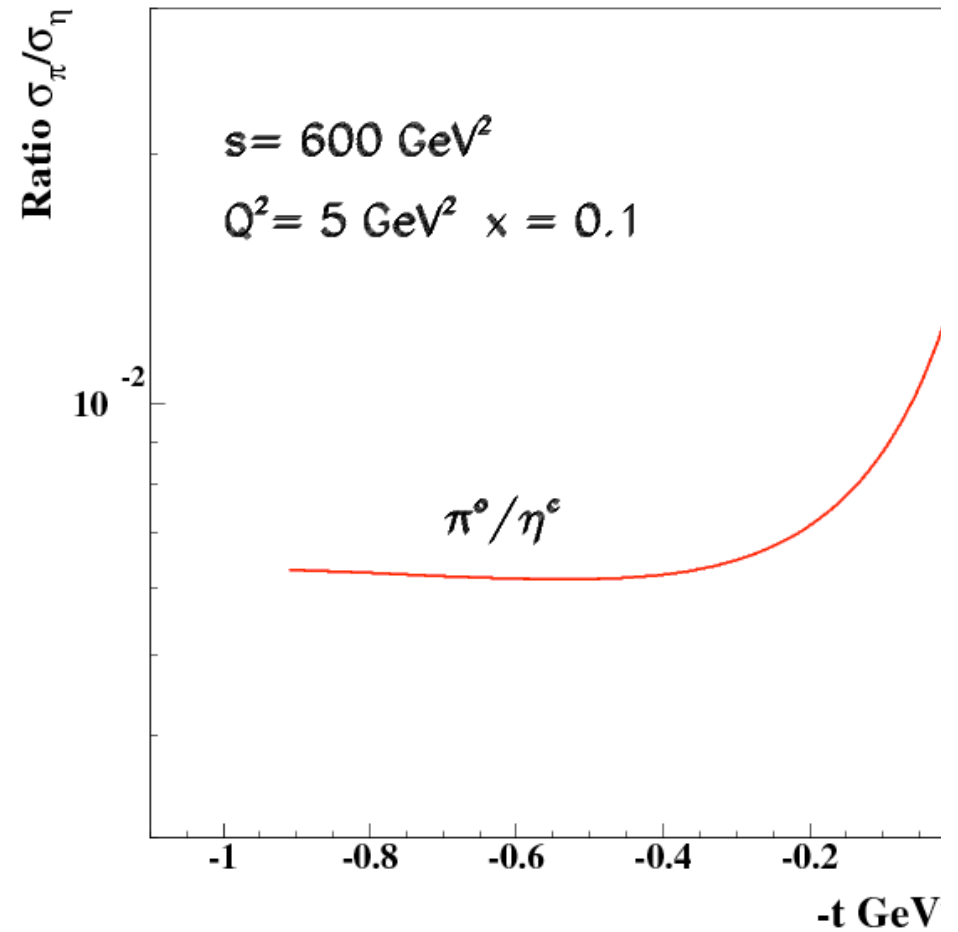
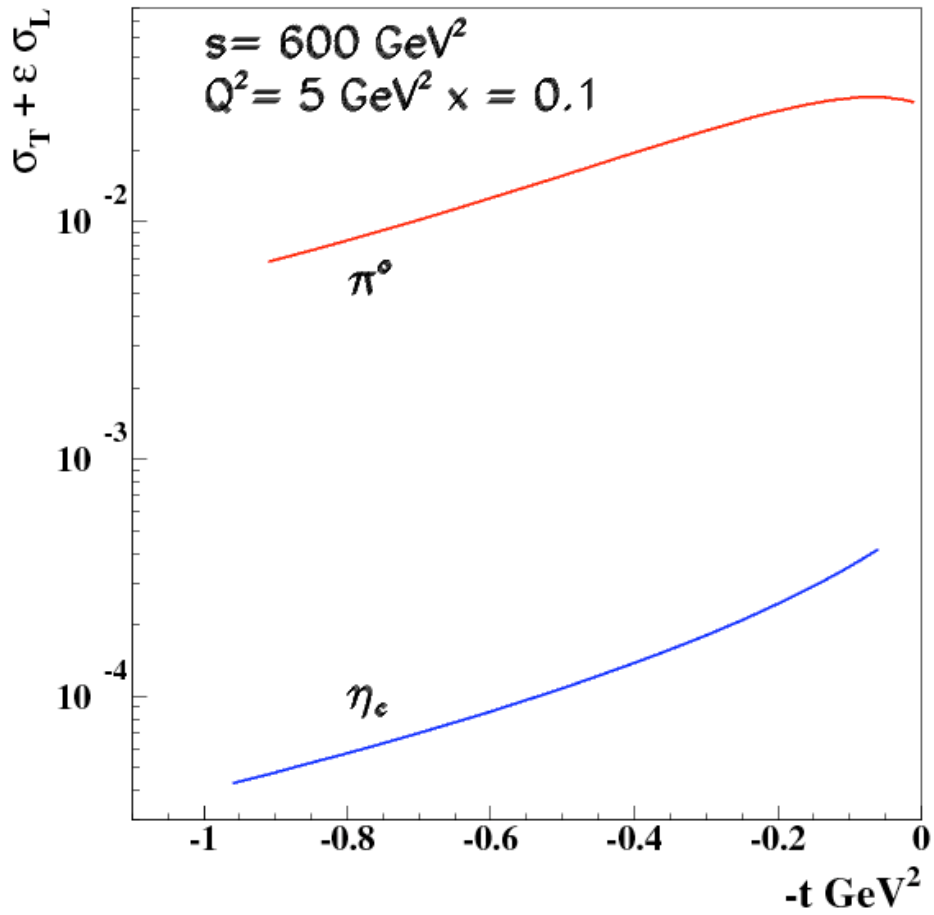
⇒ Replace FF used for light quarks GPDs with upper limit on charm based one

HAPPEX+E734

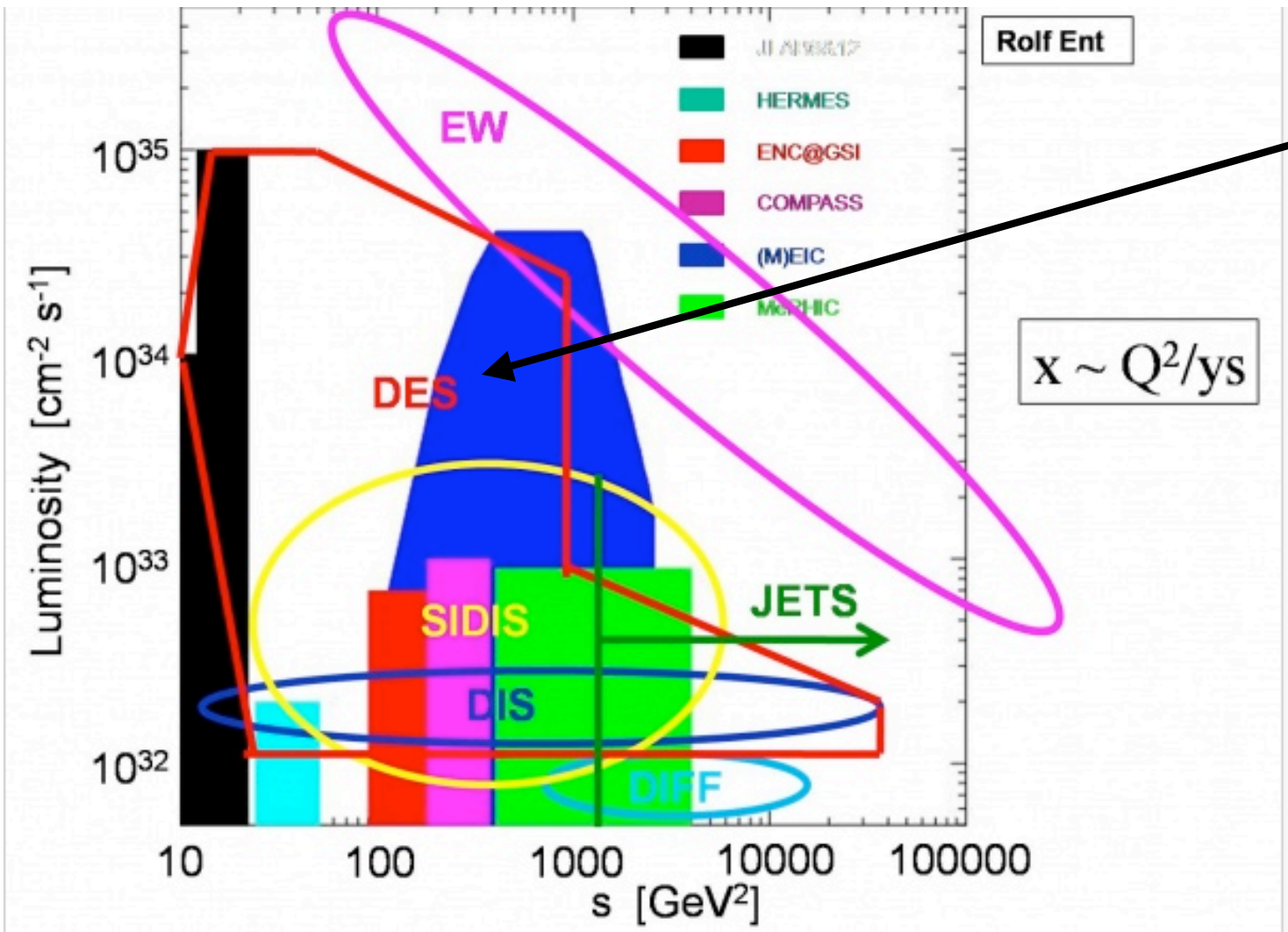
GO + BNL E734



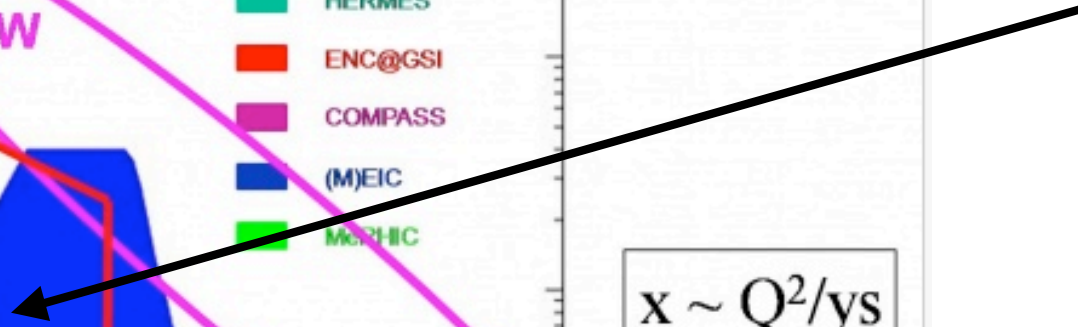
Pate, McKee, Papavissiliou,
PRC78(2008)



G.Goldstein, S.L. (preliminary)



Region of interest



Conclusions and Outlook

- EIC with an extended kinematical coverage (low to “larger” x_{Bj}) and wide Q^2 range will provide invaluable information on both pdfs (needed for LHC ...!!), and basic hadronic properties: nature of charm content, quark and gluons spin, transversity...
- Through deeply virtual exclusive charmed mesons production we suggested a unique way of singling out the Intrinsic Charm (IC) content of the nucleon:
 - Transversity sensitive observables are key: they cannot evolve from gluons
 - Asymmetries for Pseudoscalar Charmed mesons production will establish a lower limit on the size of IC component