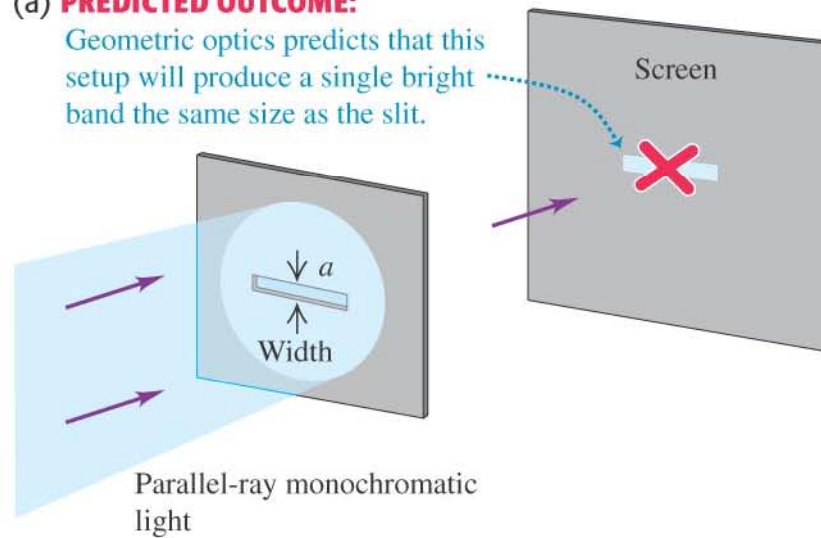


## Puzzle

(a) **PREDICTED OUTCOME:**

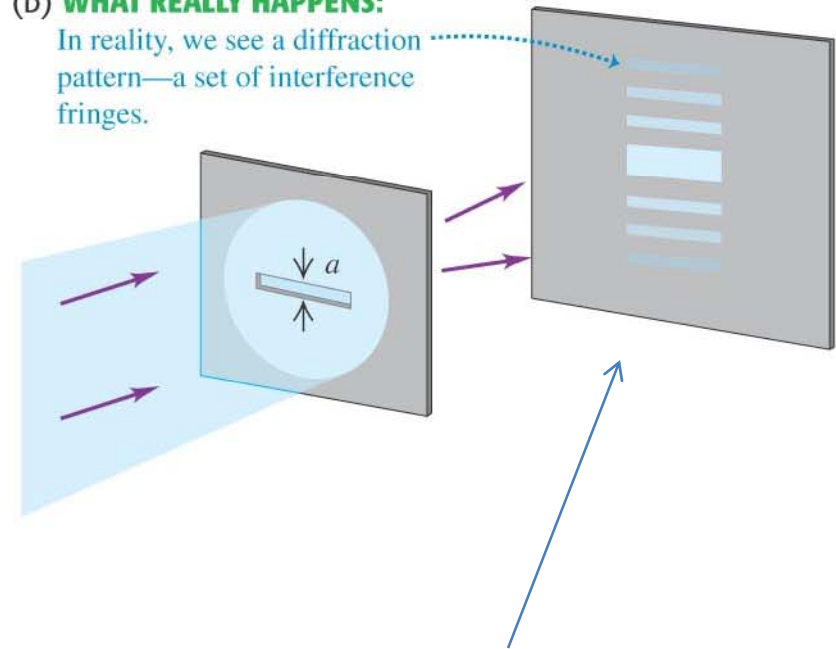
Geometric optics predicts that this setup will produce a single bright band the same size as the slit.



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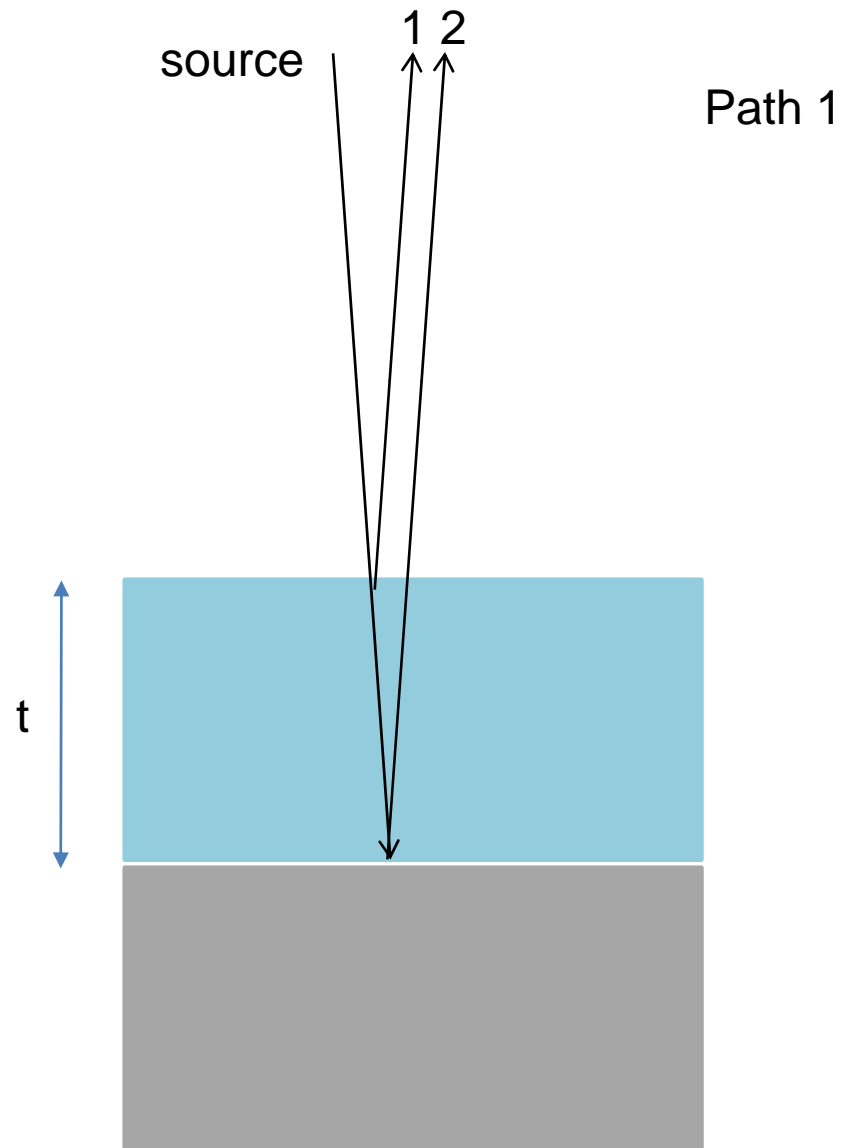
(b) **WHAT REALLY HAPPENS:**

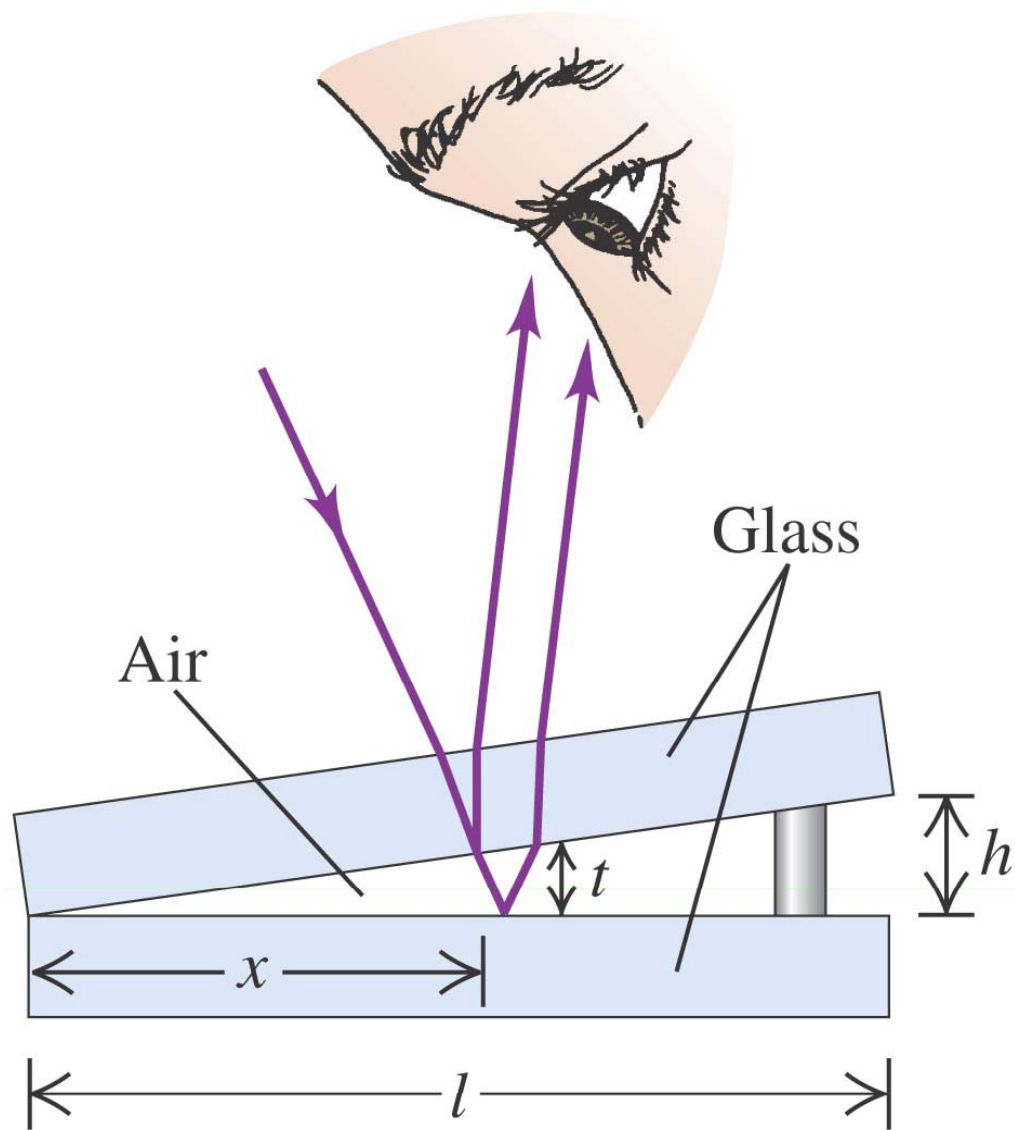
In reality, we see a diffraction pattern—a set of interference fringes.



And, when the slit gets narrower,  
the central fringe gets **WIDER**

# Thin film interference

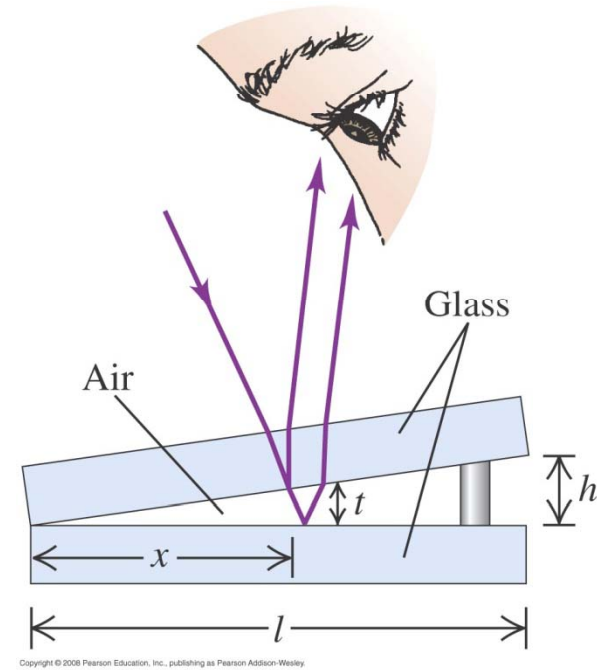




Q35.6



An air wedge separates two glass plates as shown. Light of wavelength  $\lambda$  strikes the upper plate at normal incidence. At a point where the air wedge has thickness  $t$ , you will see a bright fringe if  $t$  equals



A.  $\lambda/2$ .

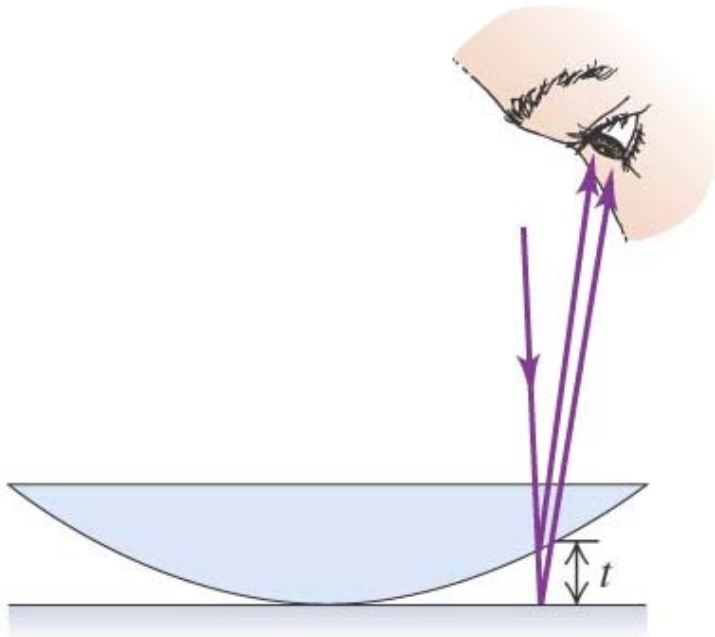
B.  $3\lambda/4$ .

C.  $\lambda$ .

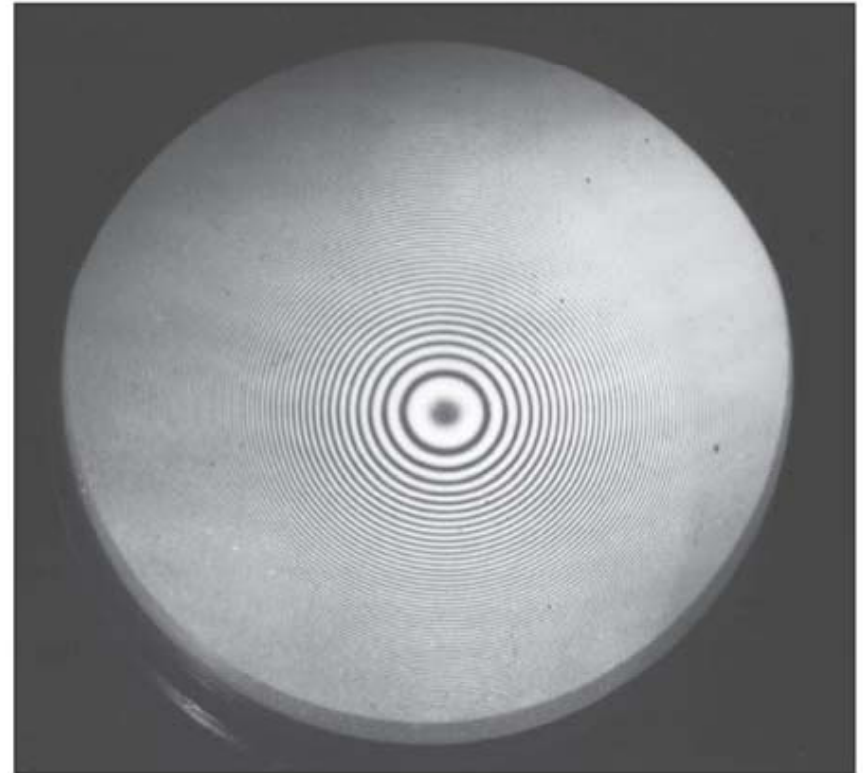
D. either A. or C.

E. any of A., B., or C.

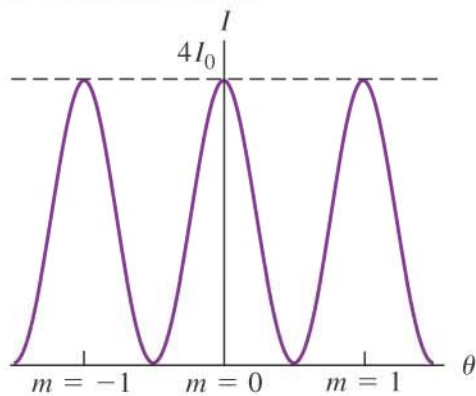
(a) A convex lens in contact with a glass plane



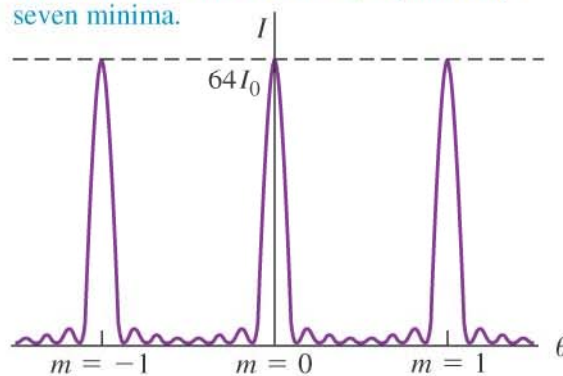
(b) Newton's rings: circular interference fringes



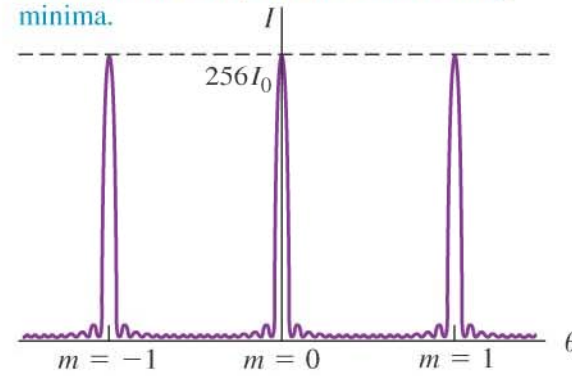
(a)  $N = 2$ : two slits produce one minimum between adjacent maxima.



(b)  $N = 8$ : eight slits produce taller, narrower maxima in the same locations, separated by seven minima.

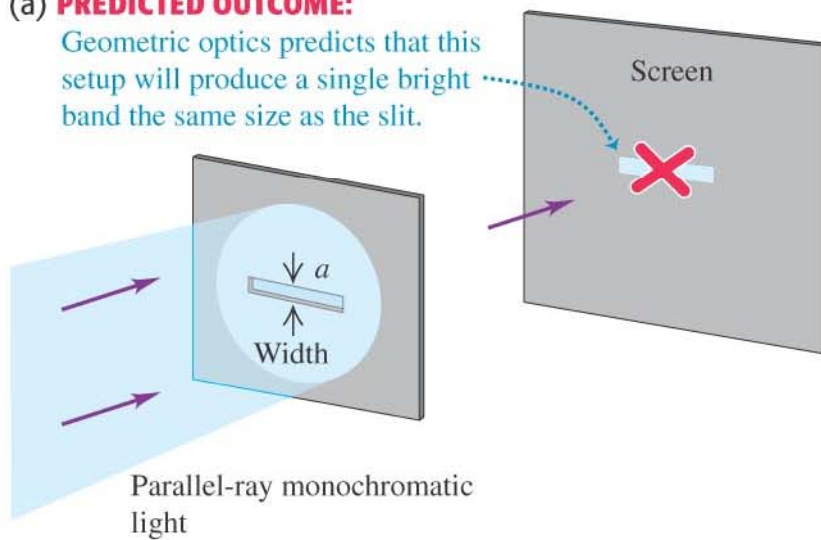


(c)  $N = 16$ : with 16 slits, the maxima are even taller and narrower, with more intervening minima.



(a) **PREDICTED OUTCOME:**

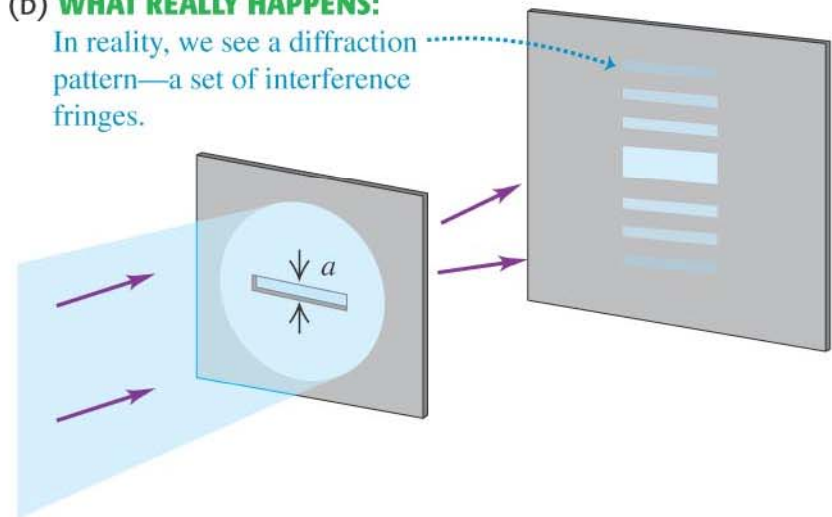
Geometric optics predicts that this setup will produce a single bright band the same size as the slit.



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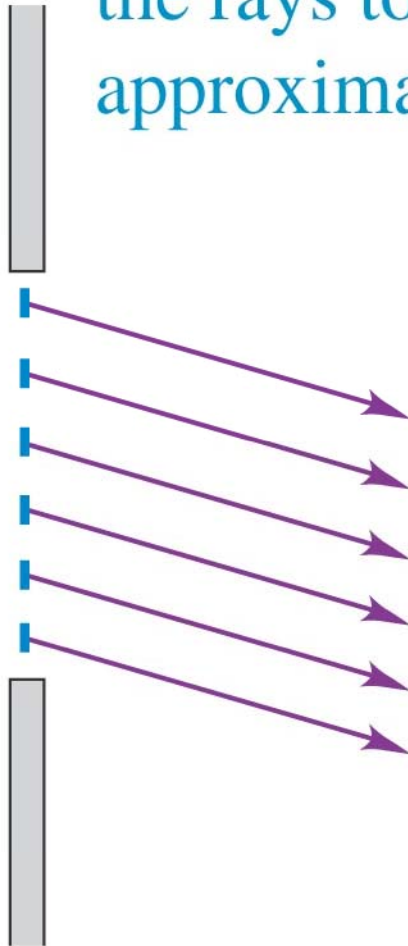
(b) **WHAT REALLY HAPPENS:**

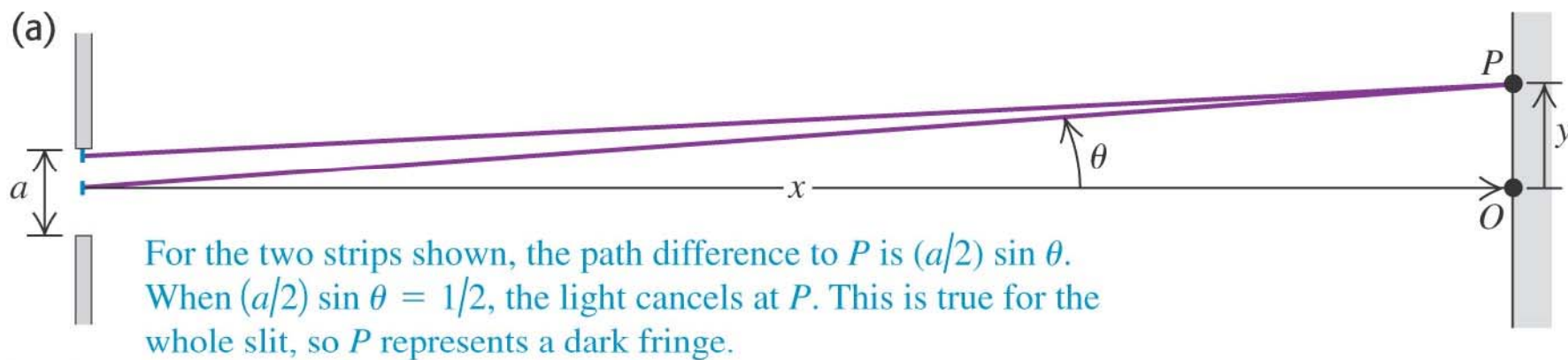
In reality, we see a diffraction pattern—a set of interference fringes.



## (c) Fraunhofer (far-field) diffraction

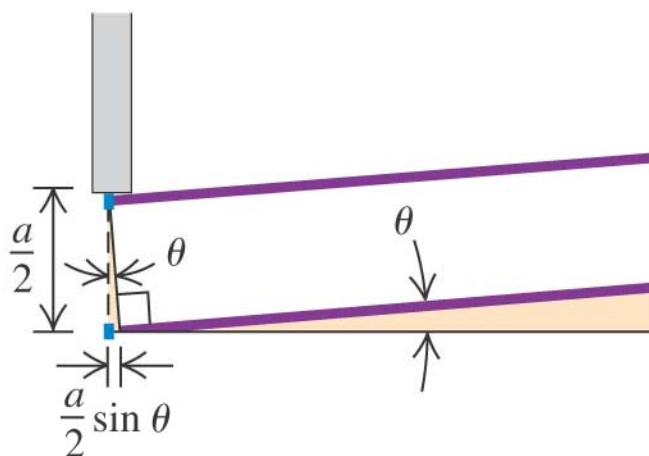
If the screen is distant,  
the rays to  $P$  are  
approximately parallel.





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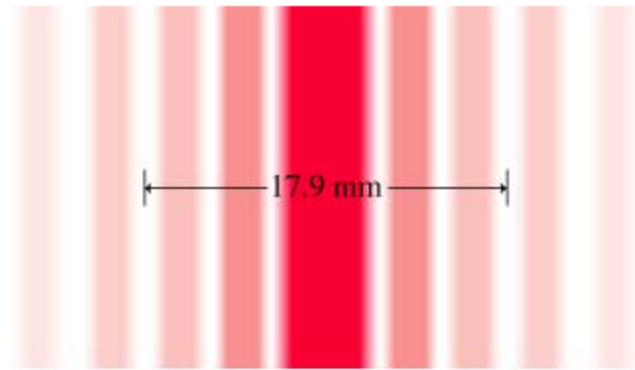
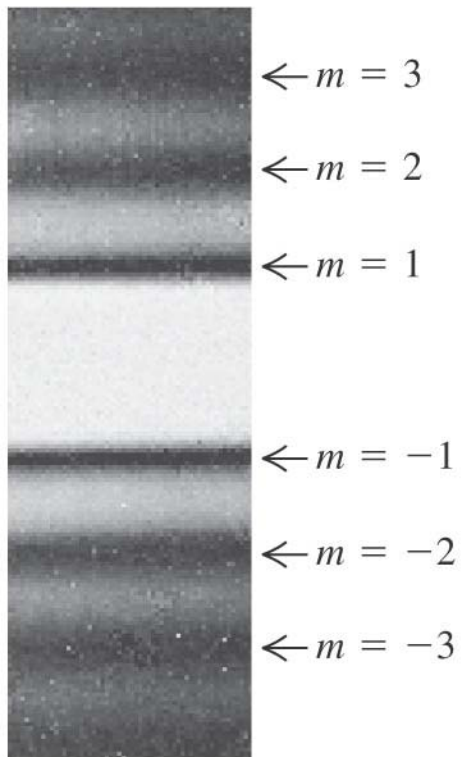
(b) Enlarged view of the top half of the slit



$\theta$  is usually very small, so we can use the approximations  $\sin \theta = \theta$  and  $\tan \theta = \theta$ .  
 Then the condition for a dark band is

$$y_m = x \frac{m\lambda}{a}$$

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Q36.1



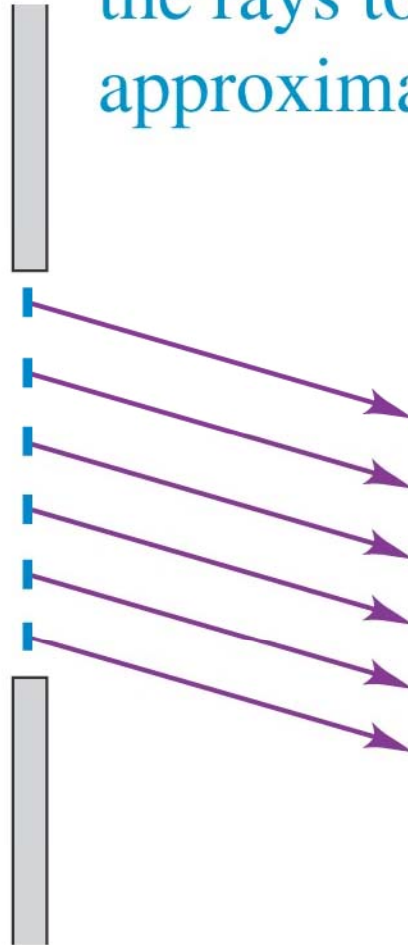
Light of wavelength  $\lambda$  passes through a single slit of width  $a$ . The diffraction pattern is observed on a screen that is very far from the slit.

Which of the following will give the greatest *increase* in the angular width of the central diffraction maximum?

- A. Double the slit width  $a$  and double the wavelength  $\lambda$ .
- B. Double the slit width  $a$  and halve the wavelength  $\lambda$ .
- C. Halve the slit width  $a$  and double the wavelength  $\lambda$ .
- D. Halve the slit width  $a$  and halve the wavelength  $\lambda$ .

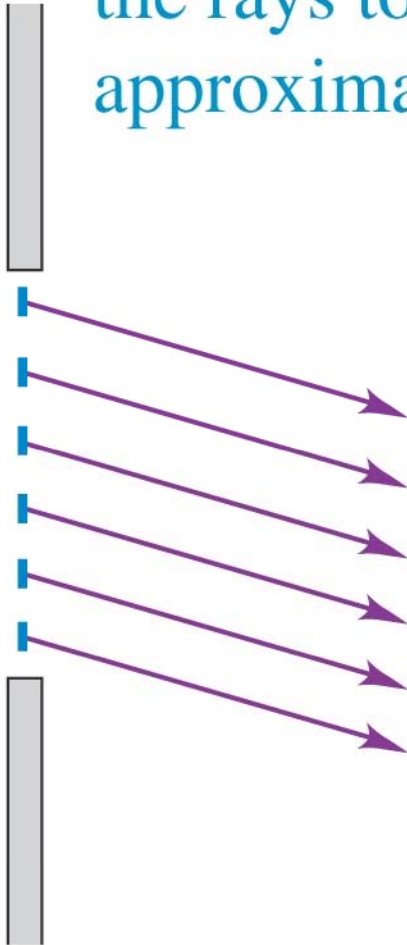
## (c) Fraunhofer (far-field) diffraction

If the screen is distant,  
the rays to  $P$  are  
approximately parallel.

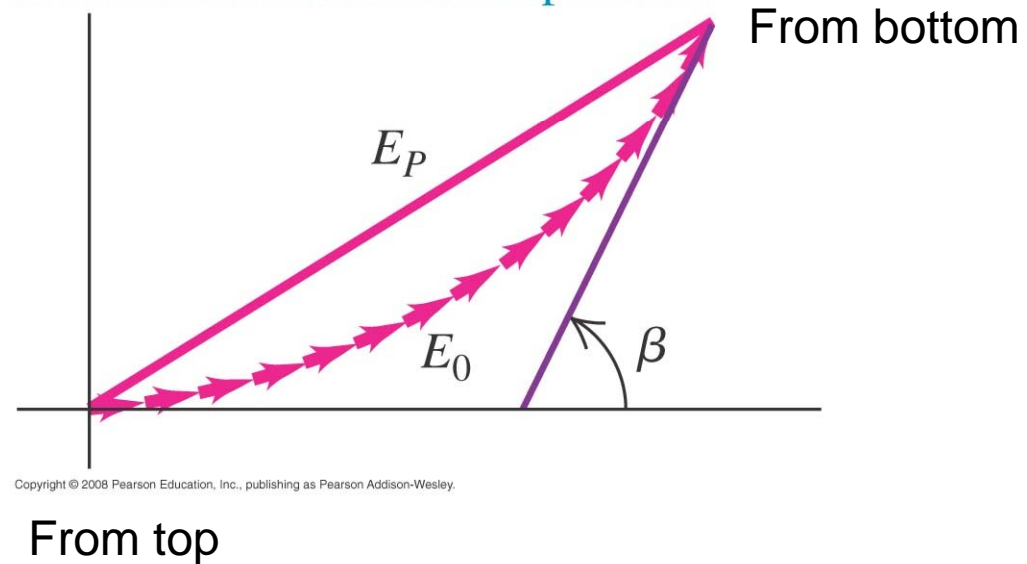


## (c) Fraunhofer (far-field) diffraction

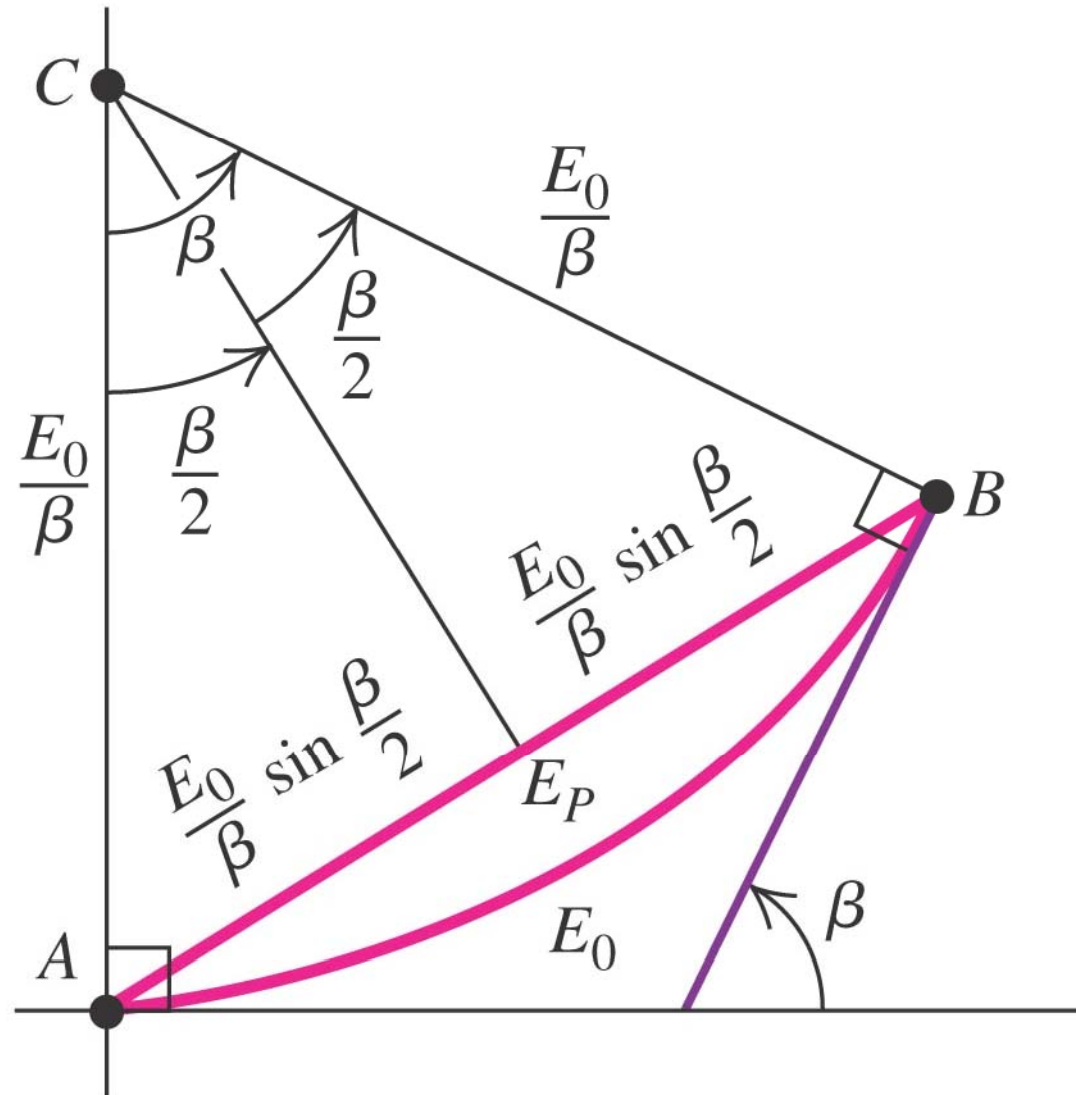
If the screen is distant,  
the rays to  $P$  are  
approximately parallel.

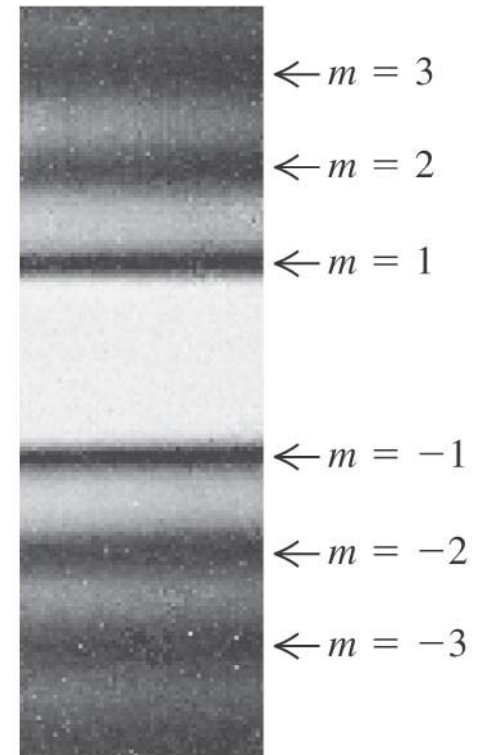
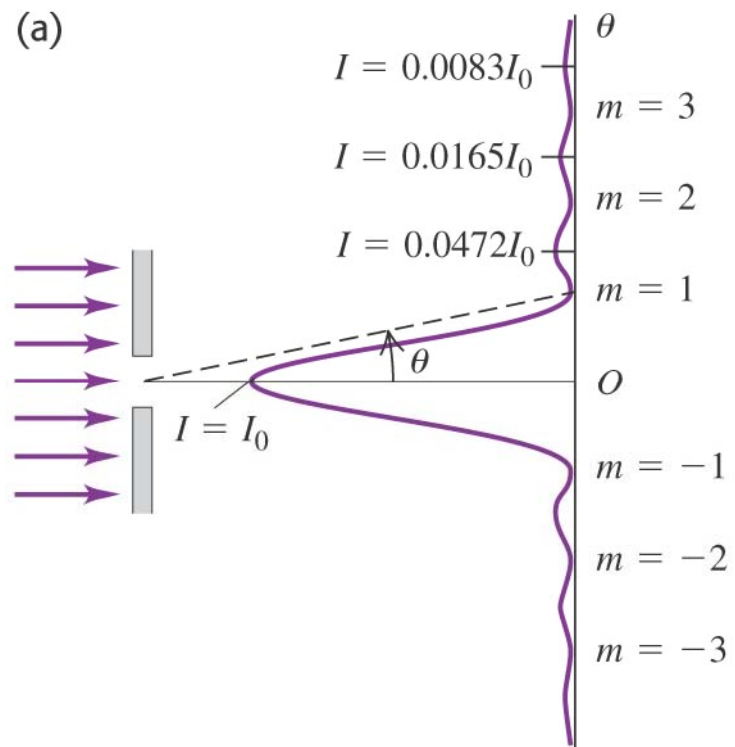


(c) Phasor diagram at a point slightly off the center of the pattern;  $\beta$  = total phase difference between the first and last phasors.



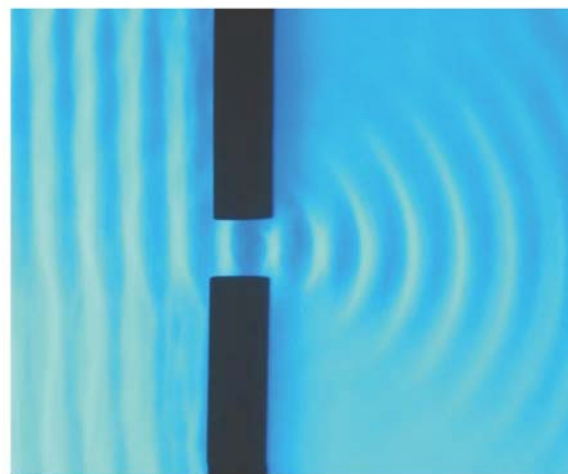
(d) As in (c), but in the limit that the slit is subdivided into infinitely many strips





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(b)



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